# Parity Violation From Few Nucleon Systems 1 -

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## Outline

### PV and the hadronic weak interaction

Shi-Lin Zhu, et al., Nuclear Physics A 748 (2005) 435-498
M.J. Ramsey Musolf and S. Page, Annu. Rev. Nucl. Part. Sci. 2006. 56:1-52
C.-P. Liu, Nuclear Physics Phys. Rev. C 75, 065501 (2007)

Meson Exchange Picture

EFT and Hadronic PV

The experimental program

# I am not a theorist!

Parity violating processes between nucleons are used as a tool to study the hadronic weak interaction (HWI) as well as how it is modified by the strong interactions from the simple Standard Model prediction.

Two (common) ways to study HWI:

- 1. Flavor changing  $\Delta S=1$  hyperon and meson decay
  - > Decay amplitudes, asymmetries, ...
- 2. Flavor conserving  $\Delta S=0$  PV interactions at low energy
  - Mostly asymmetries, analyzing power, rotation angles

## Flavor changing decay of mesons and hyperons:

- Much theoretical progress from EFT,  $\chi$ PT, heavy quark EFT
- Structure of operators from effective Lagrangians incorporate the symmetries of QCD

## Not so, in hyperon decay:

- Unresolved △I = ½ rule puzzle
- Anomalously large PV asymmetries in hyperon radiative decays
- · Etc.

## Do the unexpected observations in the $\Delta S=1$ sector come from a dynamical strange quark or some other process ?



### Look at the △S=0 sector

Standard Model: 
$$\mathcal{L}_W^{INT} = -\frac{g}{2\sqrt{2}} \left( J_C^{\mu\dagger} W_\mu + J_c^\mu W_\mu^\dagger \right) - \frac{g}{4\cos\theta_w} J_N^\mu Z_\mu$$

### Charged currents:

$$J_C^{\mu} = \overline{\psi}_d \gamma^{\mu} (1 - \gamma_5) \psi_u \cos \theta_c + \overline{\psi}_s \gamma^{\mu} (1 - \gamma_5) \psi_u \sin \theta_c$$
$$-\overline{\psi}_d \gamma^{\mu} (1 - \gamma_5) \psi_c \sin \theta_c + \overline{\psi}_s \gamma^{\mu} (1 - \gamma_5) \psi_c \cos \theta_c$$

#### Neutral currents:

$$J_N^{\mu} = \overline{\psi}_u \gamma^{\mu} (1 - \frac{8}{3} \sin^2 \theta_w - \gamma_5) \psi_u + \overline{\psi}_c \gamma^{\mu} (1 - \frac{8}{3} \sin^2 \theta_w - \gamma_5) \psi_c$$
$$-\overline{\psi}_d \gamma^{\mu} (1 - \frac{4}{3} \sin^2 \theta_w - \gamma_5) \psi_d - \overline{\psi}_s \gamma^{\mu} (1 - \frac{4}{3} \sin^2 \theta_w - \gamma_5) \psi_s$$

## Do the unexpected observations in the $\Delta S=1$ sector come from a dynamical strange quark or some other process ?



### Look at the △5=0 sector

Standard Model: 
$$\mathcal{L}_W^{INT} = -\frac{g}{2\sqrt{2}} \left( J_C^{\mu\dagger} W_\mu + J_c^\mu W_\mu^\dagger \right) - \frac{g}{4\cos\theta_w} J_N^\mu Z_\mu$$

### Charged currents:

urrents: beta obecay = 
$$J_C^\mu = \overline{\psi}_d \gamma^\mu (1 - \gamma_5) \psi_u \cos \theta_c + \overline{\psi}_s \gamma^\mu (1 - \gamma_5) \psi_u \sin \theta_c$$

$$-\overline{\psi}_{d}\gamma^{\mu}(1-\gamma_{5})\psi_{c}\sin\theta_{c} + \overline{\psi}_{s}\gamma^{\mu}(1-\gamma_{5})\psi_{c}\cos\theta_{c}$$

$$\Delta S = \pm 1$$

### Neutral currents:

$$J_N^\mu = \overline{\psi}_u \gamma^\mu (1 - \frac{8}{3} \sin^2 \theta_w - \gamma_5) \psi_u + \overline{\psi}_c \gamma^\mu (1 - \frac{8}{3} \sin^2 \theta_w - \gamma_5) \psi_c$$

$$-\overline{\psi}_d \gamma^\mu (1 - \frac{4}{3} \sin^2 \theta_w - \gamma_5) \psi_d - \overline{\psi}_s \gamma^\mu (1 - \frac{4}{3} \sin^2 \theta_w - \gamma_5) \psi_s$$

$$\text{Hadsonic interaction!}$$

### Goals of $\Delta S=0$ HWI studies:

1. Answer how the symmetries of QCD characterize the HWI in strongly interacting systems

The HWI is just a residual effect of the q-q weak interaction for which the range is set by the mass of the Z, W bosons which is much smaller than the size of nucleons, as determined by QCD dynamics

HWI probes short range qq correlations

2. Shed light on the puzzles in the  $\Delta S$ =1 sector of the HWI

 $Q^{p}_{Weak}$  measures the electron beam helicity correlated asymmetry in the number of elastically scattered electrons from protons in a liquid hydrogen target at very forward angles, to extract the weak charge of the proton.

$$A_{LR}(\vec{e}, p) = \frac{d\sigma_L - d\sigma_R}{d\sigma_L + d\sigma_R} = k(A_{Q_W^p} + A_{H,V} + A_{H,A})$$

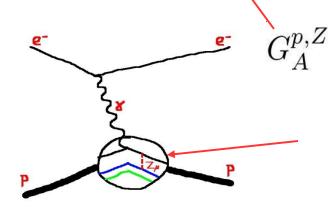
$$A_{Q_W^p} = Q^2 Q_W^p$$

Quantity of interest = -0.288 ppm

$$A_{H,V} = Q_W^n \frac{\epsilon G_E^{p,\gamma} G_E^{n,\gamma} + \tau G_M^{p,\gamma} G_M^{n,\gamma}}{\epsilon (G_E^{p,\gamma})^2 + \tau (G_M^{p,\gamma})^2} + Q_W^s \frac{\epsilon G_E^{p,\gamma} G_E^s + \tau G_M^{p,\gamma} G_M^s}{\epsilon (G_E^{p,\gamma})^2 + \tau (G_M^{p,\gamma})^2}$$

$$A_{H,A} = Q_W^e \frac{\epsilon' G_A^{p,Z} G_M^{p,\gamma}}{\epsilon (G_E^{p,\gamma})^2 + \tau (G_M^{p,\gamma})^2}$$

Must know this from world data:



Gp,Z
Axial form factor
due to
q-q weak interaction
related to NN
experimental results

Hadronic structure:
Must know hadronic
wave function or
measured
form-factors

The  $\Delta S$ =0 HWI can only be isolated experimentally via PV observables, to isolate the weak interaction from the much larger EM and strong interactions.

$$\frac{g_W^2}{\alpha M_W^2} \approx 10^{-4}$$

Weak e-N scale

$$\frac{g_W^2}{M_W^2} \cdot \frac{M_\pi^2}{g_{\pi NN}^2} \approx 10^{-7}$$

Weak N-N scale

Very challenging! ———— NIMP experiments

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Weak N-N scale

Very challenging! NIMP experiments

Nearly Impossible

So people started to look for nuclear many-body (large A) systems for which there exists some fortuitous enhancement of the size of the observable:



coming from nearly degenerate opposite parity state mixing and interference with the much larger parity allowed transition in nuclear excited states.

e.g. TRIPLE collaboration:

parity violation in compound nuclei from neutron-nucleus resonant scattering with longitudinal cross section asymmetries of order 10 <sup>-3</sup>-10 <sup>-1</sup> (up to 10<sup>6</sup> enhancement)

G.E. Mitchell et al. Phys. Rep. 354, 157 (2001)

# But you can get the weak spreading width (weak mixing amplitude) from statistical analysis of this data:

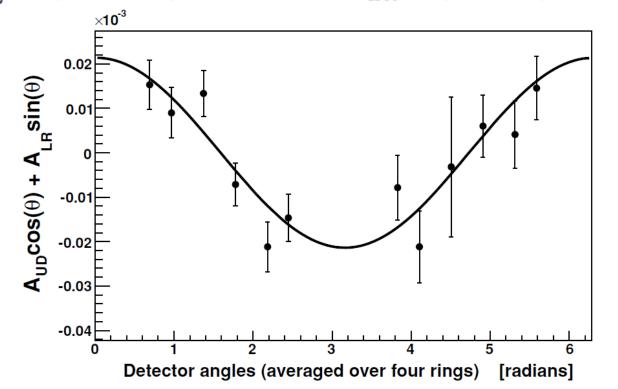
$$\longrightarrow$$

$$\Gamma_{W} = 1.8^{+0.4}_{-0.3} \times 10^{-7} \ eV$$

$$\left(\frac{\left\langle \psi_f \left| \mathcal{W} \right| \psi_i \right\rangle}{\Delta \mathcal{E}} \approx \sqrt{\frac{\Gamma_W}{2\pi \mathcal{D}}}\right)$$

Can also have large(r) asymmetries from neutron radiative capture (here Cl): M.T. Gericke et al. Phys. Rev. C 74, 065503 (2006)

$$A_{\nu} = (-19 \pm 2) \times 10^{-6}$$
 and  $A_{LR} = (-1 \pm 2) \times 10^{-6}$ 



n-capture on Chlorine (CCl<sub>4</sub>)

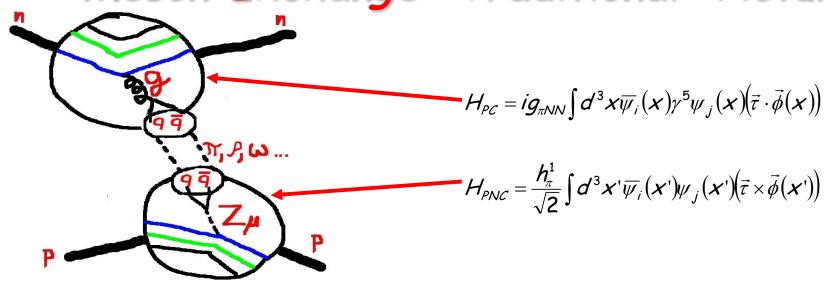
However, many-body systems are hard to deal with when it comes to interpretation of the results in a non-statistical fashion.

There is no transparent connection to SM.



- No nuclear structure physics
- Low nucleon momentum (≤ ~40 MeV)
   allows for EFT momentum expansion
- · But no enhancement of asymmetries
  - Need better experiments

## The Nucleon-Nucleon Weak Interaction Meson Exchange "Traditional" Picture



Solutions to the Lippmann-Schwinger equation - Essentially the first order term in a Born series:

$$\langle f | V_{PNC} | i \rangle = \langle N_f N_f | H_{PC} \frac{1}{E_0 - H_0 + i\varepsilon} H_{PNC} | N_i N_i \rangle \longrightarrow \boxed{\frac{ig_{\pi NN} h_{\pi}^1}{\sqrt{32}M} [\vec{\tau}_1 \times \vec{\tau}_2]_z [\vec{\sigma}_1 + \vec{\sigma}_2] \cdot \left[ \vec{p}, \frac{e^{-mr}}{4\pi r} \right]}$$

Weak  $\pi$ -Nucleon Coupling  $(\rho, \omega \text{ not shown})$ 

## Meson exchange picture cont.

$$\langle N_{f}N_{f}|H_{PC}\frac{1}{E_{0}-H_{0}+i\varepsilon}H_{PNC}|N_{i}N_{i}\rangle$$

$$=\sum_{T}\int \frac{d^{3}k}{(2\pi)^{3}}\langle N_{f}|S|N_{i},\pi_{I}(k)\rangle \frac{1}{\omega_{L}}\langle N_{f},\pi_{I}(k)|S|N_{i}\rangle$$

## Meson exchange picture cont.

$$\langle N_{f} N_{f} | \mathcal{H}_{PC} \frac{1}{E_{0} - \mathcal{H}_{0} + i\varepsilon} \mathcal{H}_{PNC} | N_{i} N_{i} \rangle$$

$$= \sum_{I} \int \frac{d^{3}k}{(2\pi)^{3}} \langle N_{f} | \mathcal{S} | N_{i}, \pi_{I}(k) \rangle \frac{1}{\omega_{k}} \langle N_{f}, \pi_{I}(k) | \mathcal{S} | N_{i} \rangle$$

Relationship to quark degrees of freedom:

$$S = \frac{i}{2} \int dt_{1} \int dt_{2} \int dt_{3} \left\{ H_{W}^{I}(t_{1}) H_{W}^{I}(t_{2}) H_{S}^{I}(t_{3}) \right\}$$

$$H_{W}^{I} = \int d^{3}x \left[ \frac{g}{2\sqrt{2}} \left( J_{C}^{\mu} W_{\mu} + J_{C}^{\mu} W_{\mu}^{*} \right) + \frac{g}{4\cos\theta_{w}} J_{N}^{\mu} Z_{\mu} \right]$$

$$H_{S}^{I} = -\int d^{3}x \int d^{3}y \int dt_{y} \left[ J_{S}f(x,y) \delta(t_{x} - t_{y}) \right]$$

## Meson exchange picture cont.

$$\langle N_{f}N_{f}|H_{PC}\frac{1}{E_{0}-H_{0}+i\varepsilon}H_{PNC}|N_{i}N_{i}\rangle$$

$$=\sum_{I}\int \frac{d^{3}k}{(2\pi)^{3}}\langle N_{f}|S|N_{i},\pi_{I}(k)\rangle \frac{1}{\omega_{k}}\langle N_{f},\pi_{I}(k)|S|N_{i}\rangle$$

Relationship to quark degrees of freedom:

$$S = \frac{i}{2} \int dt_{1} \int dt_{2} \int dt_{3} \left\{ H_{W}^{I}(t_{1}) H_{W}^{I}(t_{2}) H_{S}^{I}(t_{3}) \right\}$$

$$H_{W}^{I} = \int d^{3}x \left[ \frac{g}{2\sqrt{2}} \left( J_{C}^{\mu^{*}} W_{\mu} + J_{C}^{\mu} W_{\mu}^{*} \right) + \frac{g}{4 \cos \theta_{w}} J_{N}^{\mu} Z_{\mu} \right]$$

$$H_{S}^{I} = - \int d^{3}x \int d^{3}y \int dt_{y} \left[ J_{S}f(x, y) \delta(t_{x} - t_{y}) \right]$$

DDH use SU(6), quark model, and measured hyperon decay amplitudes instead!

### DDH Model - Benchmark

B. Desplangues, J.F. Donoghue, B.R. Holstein, Annals of Physics 124:449-495 (1980)

Arrive at 7 weak meson-nucleon couplings:

eak meson-nucleon couplings:

$$h_{\pi}^{1}$$
,  $h_{\rho}^{0,1,2}$ ,  $h_{\omega}^{0,2}$ ,  $h_{\rho}^{1}$ 
 $h_{\pi}^{1}$ ,  $h_{\rho}^{0,1,2}$ ,  $h_{\omega}^{0,2}$ ,  $h_{\rho}^{1}$ 
 $h_{\pi}^{2}$ ,  $h_{\omega}^{1}$ ,  $h_{\omega}^{1}$ ,  $h_{\omega}^{1}$ ,  $h_{\omega}^{2}$ ,

PV coupling	DDH range	DDH best value	DZ	FCDH
$h_{\pi}^{1}$	$0 \rightarrow 30$	+12	+3	+7
$h_{ ho}^0$	$30 \rightarrow -81$	-30	-22	-10
$h_{ ho}^{1}$	$-1 \rightarrow 0$	-0.5	+1	-1
$h_{\rho}^2$	$-20 \rightarrow -29$	-25	-18	-18
$h_{\omega}^{0}$	$15 \rightarrow -27$	-5	-10	-13
$h^1_\omega$	$-5 \rightarrow -2$	-3	-6	-6

All values are quoted in units of  $g_{\pi} = 3.8 \times 10^{-8}$ .

DZ: Dubovik VM, Zenkin SV. Ann. Phys. 172:100 (1986)

FCDH: Feldman GB, Crawford GA, Dubach J, Holstein BR. Phys. Rev. C 43:863 (1991)

### DDH Model - Benchmark

# In general, a measured PV NN observable can be expanded in terms of these:

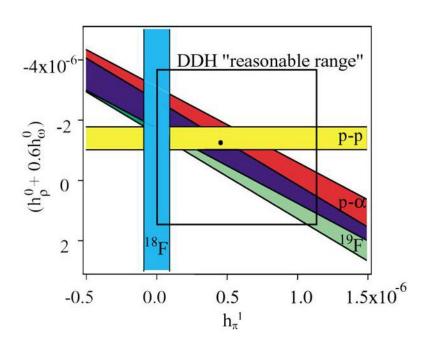
$$\mathcal{O}_{PV} = a_{\pi}^{1} h_{\pi}^{1} + a_{\rho}^{0} h_{\rho}^{0} + a_{\rho}^{1} h_{\rho}^{1} + a_{\rho}^{2} h_{\rho}^{2} + a_{\omega}^{0} h_{\omega}^{0} + a_{\omega}^{1} h_{\omega}^{1}$$

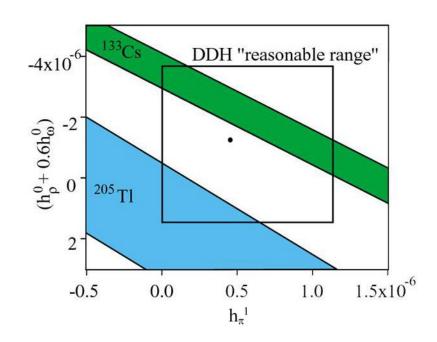
#### E. G. Adelberger and W. C. Haxton, Ann. Rev. Nucl. Part. Sci. 35, 501 (1985).

DDH Weak Coupling	$(A_{\gamma}) np \rightarrow d\gamma$	$(A_{\gamma})$ $nd \rightarrow t\gamma$	(φ <sub>PV</sub> ) n-p (μrad/m)	(φ <sub>PV</sub> ) n-α (μ <b>rad/m)</b>	$\left(\frac{\Delta\sigma}{\sigma}\right)p-p$	$\left(\frac{\Delta\sigma}{\sigma}\right)$ $p-\alpha$	$(A^p_z)$ $n^3He \rightarrow tp$
$a_{\pi}^{1}$	-0.107	-0.92	-3.12	-0.97	0	-0.340	-0.182
$a_{\rho}^{\ O}$	0	-0.50	-0.23	-0.32	0.079	0.140	-0.145
$a_{\rho}^{1}$	-0.001	0.103	0	0.11	0.079	0.047	0.0267
$a_{\rho}^{2}$	0	0.053	-0.25	0	0.032	0	0.0012
$a_{\omega}^{\ O}$	0	-0.160	-0.23	-0.22	-0.073	0.059	-0.1269
$a_{\omega}^{-1}$	0.003	0.002	0	0.22	0.073	0.059	0.0495

### Experimental results generally agree with the DDH ranges, but:

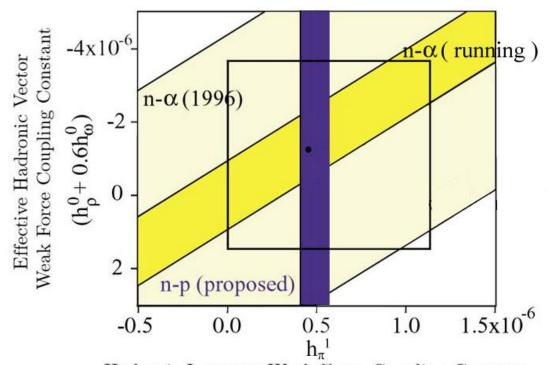
- > Uncertainties are large
- > Some experimental results produce conflicting values for coupling constants (e.g. Values for  $h_\pi^{\ 1}$  from  $^{18}F$  and  $^{133}Cs$  differ by several  $\sigma$ )





p-p scat. 15, 45 MeV  $A_z^{pp}$ p-p scat. 221 MeV  $A_z^{pp}$ p- $\alpha$  scat. 46 MeV  $A_z^{pp}$ 

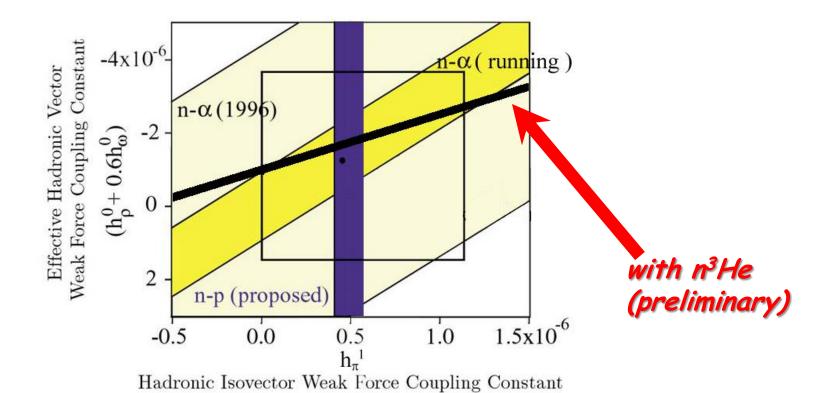
<sup>133</sup>Cs, <sup>205</sup>Tl anapole moments



Hadronic Isovector Weak Force Coupling Constant

$$n+p\rightarrow d+\gamma$$
  $A_{\gamma}^{d}$   $n-\alpha$  spin rot.  $d\phi^{n\alpha}/dz$ 

Unfortunately, the connection between the PV observables and the SM is essentially unknown.



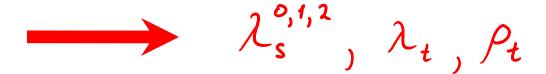
 $n+p \rightarrow d+\gamma$   $A_{\gamma}^{d}$   $n-\alpha$  spin rot.  $d\phi^{n\alpha}/dz$ 

Unfortunately, the connection between the PV observables and the SM is essentially unknown.

## EFT Calculations (Upshot)

The  $\Delta S$ =0 HWI can be parameterized in terms of 5 (8 with pions) low energy phenomenological constants.

At very low momenta ( $\leq$  ~50 MeV) the constants essentially reduce to the 5 Danilov parameters:



originally determined from NN scattering theory (Born approximation) write down simplest 5-P amplitudes with PV and CP cons. amplitudes in addition to singlet and triplet strong ...

At higher momentum include explicit pions:  $h_{\pi \nu \nu}$ ,  $k_{\pi \nu \nu}^{1a}$ ,  $\tilde{c}_{\pi}$ ,  $\tilde{c}_{\pi}$ ,  $\tilde{c}_{\pi}$ 

## EFT Calculations

Write down 12 possible general P violating and CP conserving current-current terms with all isospin changes up to  $\Delta I=2$ :

$$\mathcal{O}_{1} = \frac{\mathcal{G}_{1}}{\Lambda_{\chi}^{2}} \overline{\psi}_{N} \mathbf{1} \gamma_{\mu} \psi_{N} \overline{\psi}_{N} \mathbf{1} \gamma^{\mu} \gamma_{5} \psi_{N} \qquad \mathcal{O}_{2} = \frac{\mathcal{G}_{2}}{\Lambda_{\chi}^{2}} \overline{\psi}_{N} \mathbf{1} \gamma_{\mu} \psi_{N} \overline{\psi}_{N} \tau_{3} \gamma^{\mu} \gamma_{5} \psi_{N}$$

$$\widetilde{\mathcal{O}}_{1} = \frac{\widetilde{\mathcal{G}}_{1}}{\Lambda_{\gamma}^{3}} \overline{\psi}_{N} \mathbf{1} i \sigma_{\mu\nu} \mathbf{q}^{\nu} \gamma_{\mu} \psi_{N} \overline{\psi}_{N} \tau_{3} \gamma^{\mu} \gamma_{5} \psi_{N} \bullet \bullet \bullet$$
 etc...

The NN contact potentials are expressed in terms of 12 parameters, but no mesons:

$$C_{1-5} = \frac{\Lambda_{\chi}}{2m_{N}}g_{1-5}$$
 ,  $C_{1-5} = G_{1-5} + \frac{\Lambda_{\chi}}{2m_{N}}g_{1-5}$ 

$$C_6 = \mathbf{\tilde{g}}_6 - \frac{\Lambda_{\chi}}{2m_{N}} \mathbf{g}_6$$

Shi-Lin Zhu, et al., Nuclear Physics A 748 (2005) 435-498

# Appropriate linear combinations of these produce the 5 Danilov coupling constants to be determined by experiment:

$$\lambda_{t} \propto (\mathcal{C}_{1} - 3\mathcal{C}_{3}) - (\tilde{\mathcal{C}}_{1} - 3\tilde{\mathcal{C}}_{3})$$

$$\lambda_{s}^{0} \propto (\mathcal{C}_{1} + \mathcal{C}_{3}) + (\tilde{\mathcal{C}}_{1} + \tilde{\mathcal{C}}_{3})$$

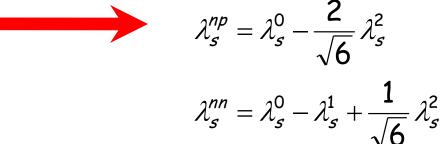
$$\lambda_{s}^{1} \propto (\mathcal{C}_{2} + \mathcal{C}_{4}) + (\tilde{\mathcal{C}}_{2} + \tilde{\mathcal{C}}_{4})$$

$$\lambda_{s}^{2} \propto -\sqrt{\frac{8}{3}}(\mathcal{C}_{5} + \tilde{\mathcal{C}}_{5})$$

$$\lambda_{s}^{2} \propto -\sqrt{\frac{8}{3}}(\mathcal{C}_{5} + \tilde{\mathcal{C}}_{5})$$

$$\lambda_{s}^{pp} = \lambda_{s}^{0} + \lambda_{s}^{1} + \frac{1}{\sqrt{6}}\lambda_{s}^{2}$$

$$\lambda_{s}^{pp} = \lambda_{s}^{0} - \frac{2}{\sqrt{5}}\lambda_{s}^{2}$$



Shi-Lin Zhu, et al., Nuclear Physics A 748 (2005) 435-498

We need at least 8 few body experiments to completely determine the EFT parameters.

### Some have already been done:

### Longitudinal Asymmetries in p-p scattering:

$$A_L^{pp}(13.6 \text{ MeV}) = -(0.93 \pm 0.20 \pm 0.05) \times 10^{-7} = -0.48 \lambda_s^{pp} m_N$$

Bonn: P.D. Evershiem et al. Phys. Lett. 256 (1991) 11

$$A_L^{pp}(45 \text{ MeV}) = -(1.5 \pm 0.22) \times 10^{-7} = -0.82 \lambda_s^{pp} m_N$$

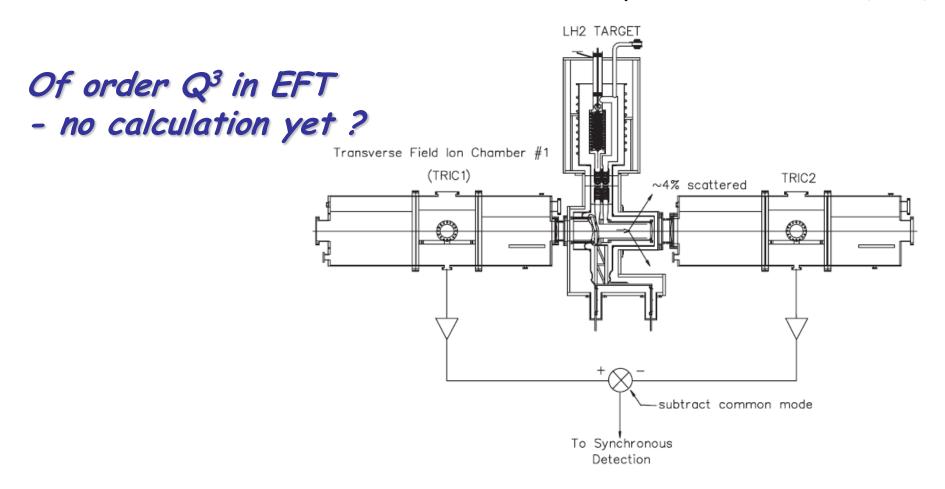
PSI: S. Kistryn *et al.* Phys. Lett. 58 (1987) 1616

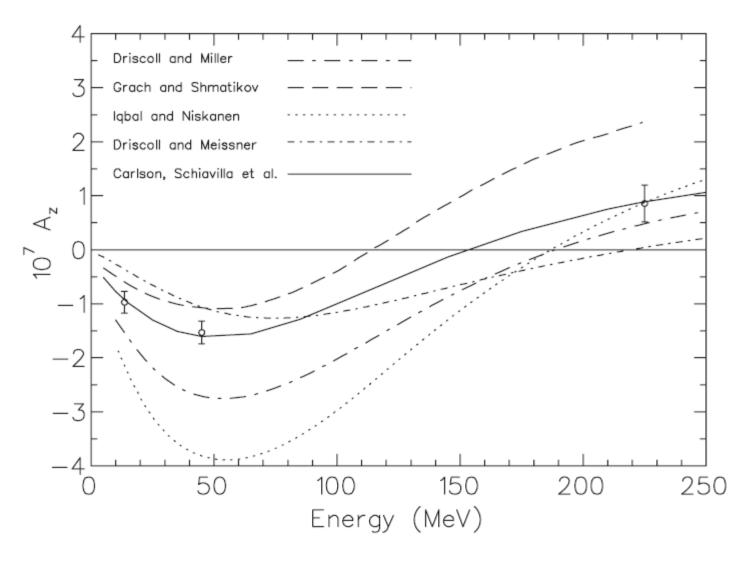
R. Balzer et al. Phys. Rev. C. 30 (1984) 1409

The TRIUMF 220 MeV pp experiment  $A_{\mu}^{pp}(221 \text{ MeV}) = -(0.84 \pm 0.29 \pm 0.17) \times 10^{-7} \propto h_{\alpha}^{0} + h_{\alpha}^{1} \equiv h_{\alpha}^{pp}$ 

TRIUMF:

A.R. Berdoz et al. Phys. Rev. C 68 034004 (2003)





A.R. Berdoz et al. Phys. Rev. C 68 034004 (2003)

### Longitudinal Asymmetry in $p-\alpha$ scattering:

$$A_{L}^{\rho\alpha}(46 \text{ MeV}) = -(3.3 \pm 0.9) \times 10^{-7} = \left[ -0.48 \left( \lambda_{s}^{\rho\rho} + \frac{1}{2} \lambda_{s}^{n\rho} \right) - 0.107 \left( \rho_{t} + \frac{1}{2} \lambda_{t} \right) \right] m_{N}$$

Bonn: J. Lang et al. Phys. Rev. Lett. 54 (1985) 170

### New experiments:

- >Longitudinal asymmetry in proton scattering:
  - p-d:

$$A_{L}^{pd}(15 MeV) = (-0.21 \rho_{t} - 0.07 \lambda_{s}^{pp} - 0.13 \lambda_{t} + 0.04 \lambda_{s}^{np}) m_{N}$$

### New experiments (or repeats):

- > Neutron capture:
  - Circ. Polarization:

$$P_{\gamma} = (0.63\lambda_{\tau} - 0.16\lambda_{s}^{np})m_{N}$$
 Very challenging!

• Gamma Asymmetry in np radiative capture:

$$A_{\gamma} = -0.107 \, \rho_{\tau} \, m_{N}$$
 LANSCE compl. SNS 2010

• Gamma Asymmetry in nd radiative capture:

$$\mathcal{A}_{\mathcal{S}} = \left(1.42 \rho_t + 0.59 \lambda_s^{nn} + 1.18 \lambda_t + 0.51 \lambda_s^{np}\right) m_{\mathcal{N}}$$
 Hard, SNS planned

Proton Asymmetry in n³He capture

$$\mathcal{A}_{Z}^{p}=(?)m_{\mathcal{N}}$$
 Relatively easy, SNS approved ~2011

### New experiments (or repeats):

- > Neutron spin rotation:
  - In helium:

$$\frac{d\phi^{n\alpha}}{dz} = \left[ 1.2 \left( \lambda_s^{nn} + \frac{1}{2} \lambda_s^{np} \right) - 2.68 \left( \rho_t - \frac{1}{2} \lambda_t \right) \right] m_N \left[ \frac{rad}{m} \right] \quad \text{W.M. Snow et al, Completed (NIST)}$$

In hydrogen LH2

$$\frac{d\phi^{np}}{dz} = \left[0.45\lambda_s^{nn} + 1.28\lambda_s^{np} + 0.45\lambda_s^{pp} + 1.26\rho_t - 0.63\lambda_t\right]m_{N}\left[\frac{rad}{m}\right]$$

SNS planned

## Hadronic Parity Violation with Cold Neutrons

### Two experiments (at the SNS):

### NPDGamma:

Transversely polarized cold neutrons on hydrogen - looks for a directional asymmetry in the number of  $\gamma$ -rays, after decay:  $n + p \rightarrow d + \gamma$ 

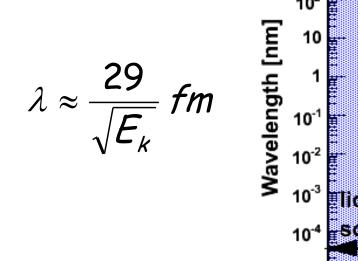
#### n3He:

Longitudinally polarized cold neutrons on helium 3 - looks for a directional asymmetry in the number of protons after breakup:  $n + {}^{3}He \rightarrow t + p$ 

Spallation Neutron Source (SNS)



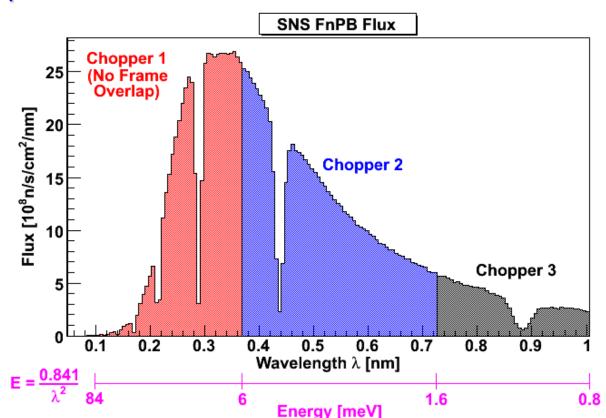
# The Neutron Energy Scale



$$E_{k} = \frac{\hbar^{2}k^{2}}{2M_{h}} = k_{B}T$$
 ,  $k = 43.4\sqrt{E_{k}[MeV]}$  MeV/c

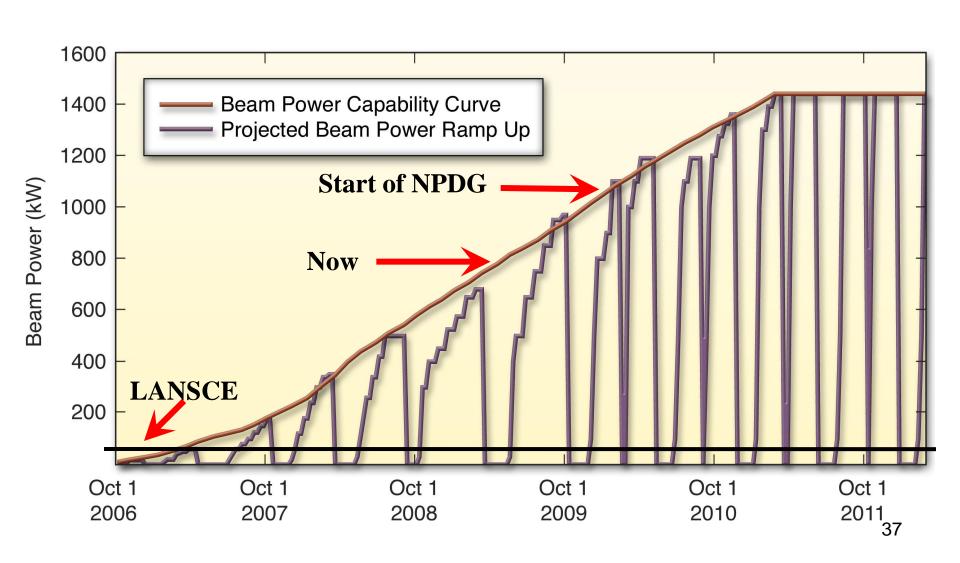
## SNS Beam Properties

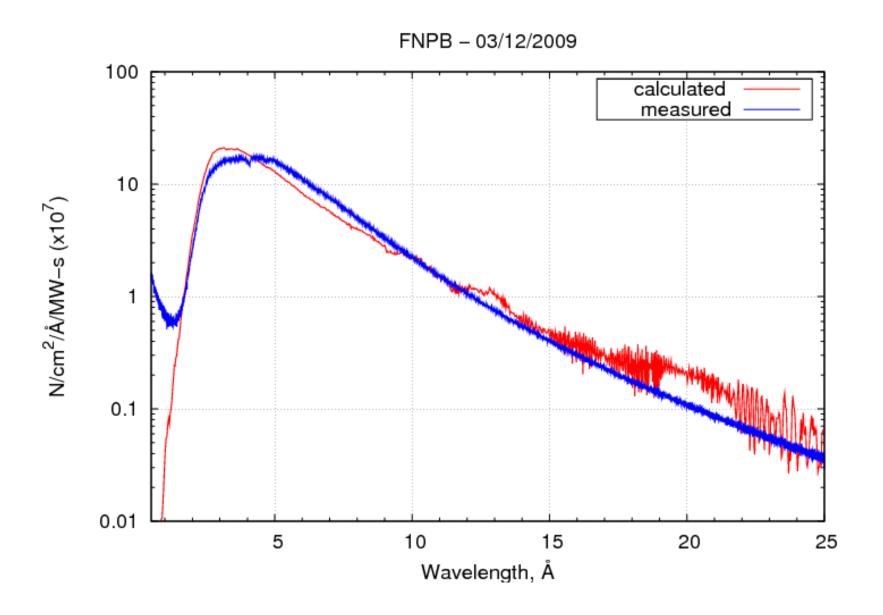
- total  $\sim 1.1 \times 10^{11}$  neutrons/second
- 4.1  $\times$  10<sup>10</sup> n/s , 5.4  $\times$  10<sup>10</sup> n/s, 1.1  $\times$  10<sup>10</sup> n/s for three example regions with no frame overlap
- 4 choppers required for various experimental conditions
  - → eliminate overlap with slower neutrons from previous pulses
  - → accommodate extraction of 0.89 nm beam
  - avoid potential background problems from leakage of fast neutrons
  - neutrons above 4.0 nm are not necessarily caught by this chopper arrangement

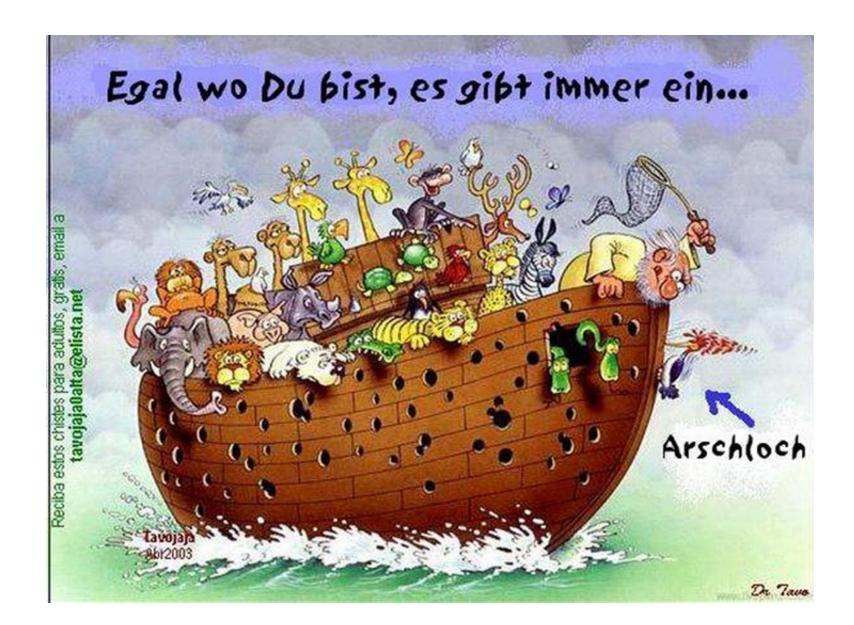


(these come ~180 ms after pulse onset ( > 10 frames later) intensity down by 4 orders of magnitude

# SNS Ramp-Up Plan

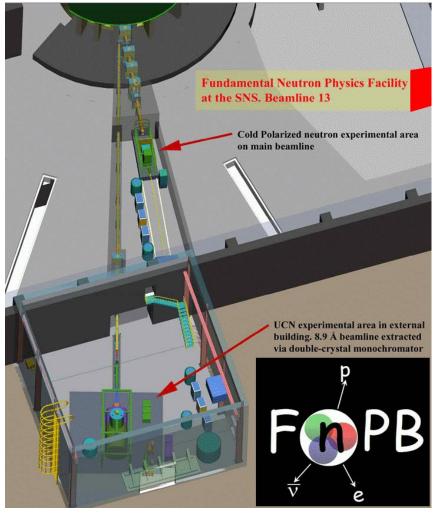


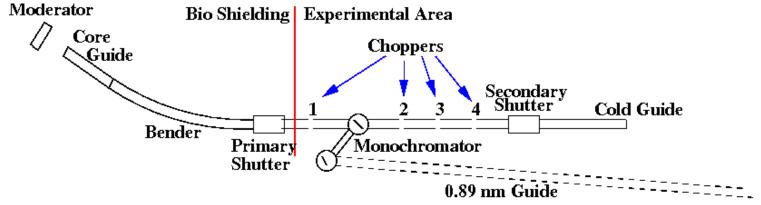




# The Fundamental Neutron Physics Beam (FnPB)

- LH2 moderator
- 15 m long guide ~ 18 m to experiment
- one polyenergetic cold beam line
- one monoenergetic (0.89 nm) beam line
- ~ 40 m to nEDM UCN source
- 4 frame overlap choppers
- 60 Hz pulse repetition

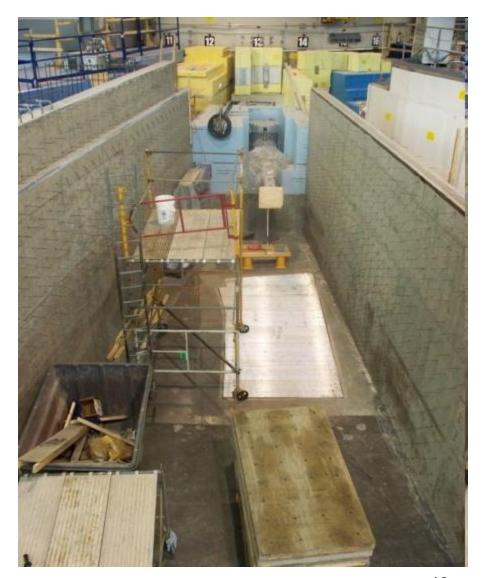


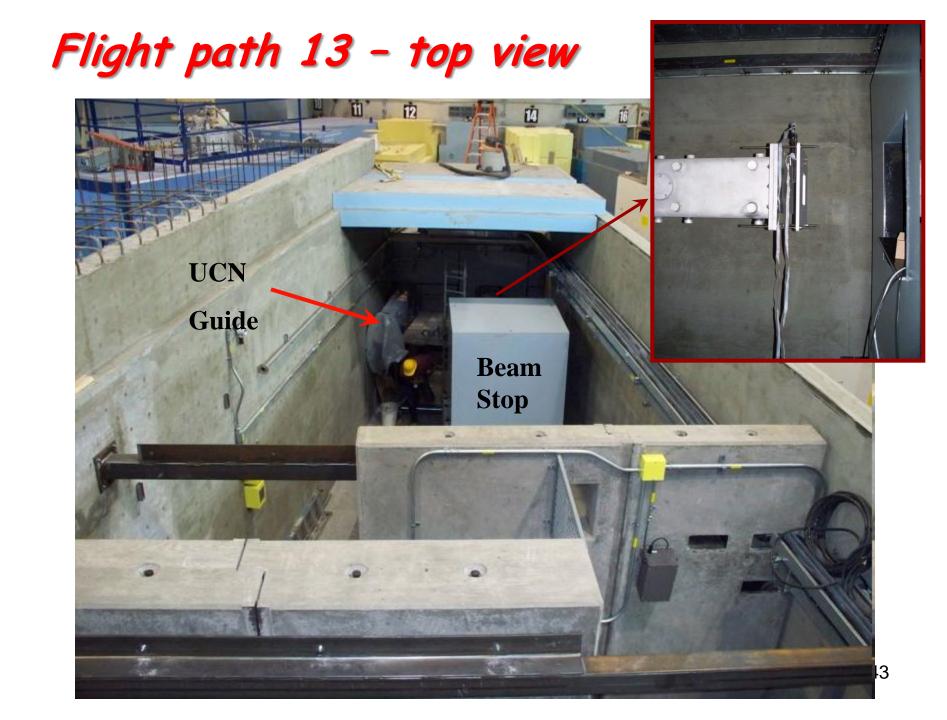




## Cold Beamline - Realized



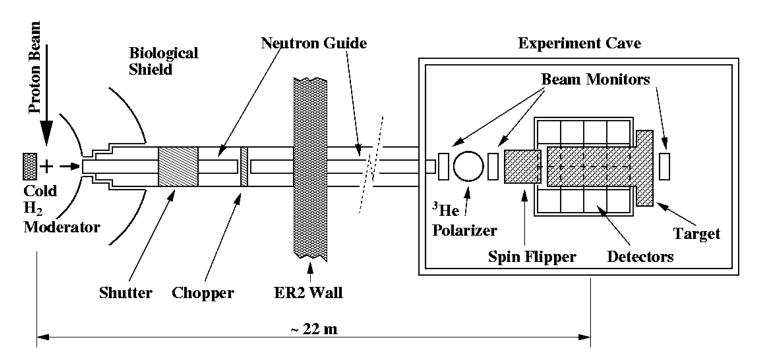




#### The NPDGamma Collaboration

Los Alamos National Laboratory,
University of Manitoba,
University of Michigan,
University of Tennessee,
TJNAF,
University of Dayton,
Institute for Nuclear Research, Dubna,
NIST,
University of Kentucky

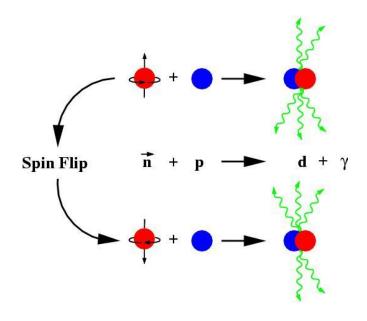
Indiana University,
TRIUMF,
University of New Hampshire,
Oak Ridge National Laboratory,
University of California-Berkeley,
Hamilton College,
KEK National Laboratory, Japan
University of Virginia,
UNAM

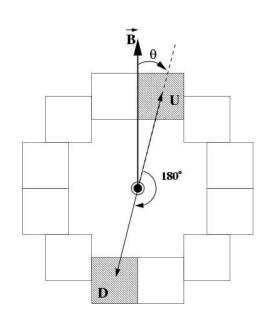


### The NPDGamma Observable / Theory

The main NPDGamma observable is the up-down asymmetry in the angular distribution of gamma rays with respect to the neutron spin direction.

$$\frac{d\sigma}{d\Omega} \propto \frac{1}{4\pi} (1 + A_{\gamma} \cos \theta)$$





$$A_{raw} = (P_n F_n D_n G) A_{\gamma} \cos \theta = \frac{1}{2} \left( \frac{\sigma_{\upsilon}^{\uparrow} - \sigma_{D}^{\uparrow}}{\sigma_{\upsilon}^{\uparrow} + \sigma_{D}^{\uparrow}} + \frac{\sigma_{\upsilon}^{\downarrow} - \sigma_{D}^{\downarrow}}{\sigma_{\upsilon}^{\downarrow} + \sigma_{D}^{\downarrow}} \right)$$

The observed cross-section is the result of an electro-magnetic transition between initial and final two nucleon states.

The possible amplitudes include both parity even M1 and parity odd E1 transitions from L=1 states as a result of the weak perturbation.

$$\frac{d\sigma}{d\Omega} \propto \left| \left\langle \psi_f \left| E1 \right| \psi_i \right\rangle + \left\langle \psi_f \left| M1 \right| \psi_i \right\rangle \right|^2$$

$$\mathcal{H} = \mathcal{H}_{s} + \mathcal{V}_{PNC}$$
  $a = \frac{\langle \psi_{1} | \mathcal{V}_{PNC} | \psi_{0} \rangle}{\Delta \mathcal{E}}$   $| \psi_{i,f} \rangle = | \psi_{0} \rangle + a | \psi_{1} \rangle$ 

A measurement of the asymmetry at the 20 % level (10 ppb) will be the most precise measurement of the weak-pion nucleon coupling

$$\frac{ig_{\pi NN}h_{\pi}^{1}}{\sqrt{32}M}\left[\vec{\tau}_{1}\times\vec{\tau}_{2}\right]_{z}\left[\vec{\sigma}_{1}+\vec{\sigma}_{2}\right]\cdot\left[\vec{p},\frac{e^{-mr}}{4\pi r}\right] \qquad \frac{g_{\pi NN}h_{\pi}^{1}}{\sqrt{32}}\approx1.1\times10^{-6}$$

$$A_{y} = -0.107 h_{\pi}^{\Delta I=1} \approx -0.107 \times 12 \times g_{\pi} = -5 \times 10^{-8}$$

#### NPDGamma EFT Relevance

Systematic study of the NN weak interaction described in terms of a model independent theory appropriate at the low energy scale.

NN weak interaction effects enter into nucleon structure (needed for standard model tests) and atomic parity violation measurements.

5 EFT parameters : 
$$(\lambda_t, \lambda_s^{I=0,1,2}, 
ho_t)$$

Correspond to: 
$${}^3S_1(I=0) \leftrightarrow {}^1P_1(I=0)$$

$${}^{1}S_{0}(I=0,1,2) \leftrightarrow {}^{3}P_{0}(I=0,1,2)$$

$${}^{3}S_{1}(I=0) \leftrightarrow {}^{3}P_{1}(I=1)$$

NPDGamma asymmetry relation to EFT constant: 
$$A_{\gamma}^{\vec{n},p}(th.) = -0.107 \, m_N \rho_t = -5 \times 10^{-8}$$

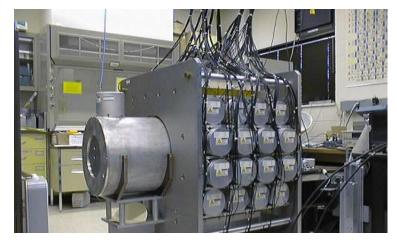
C.-P. Liu, Nuclear Physics Phys. Rev. C 75, 065501 (2007)

### LH2 target and CsI detector array

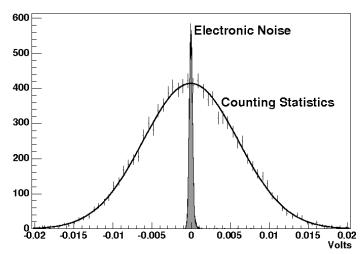


20L vessel of liquid parahydrogen

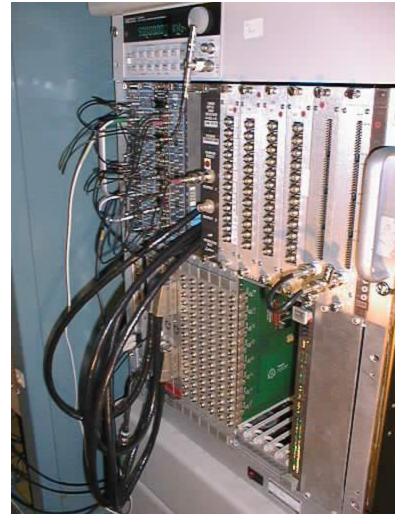
Ortho-hydrogen scatters the neutrons and leads to beam depolarization



- $\cdot 3\pi$  acceptance
- ·Current-mode experiment
- •y-rate ~100MHz (single detector)





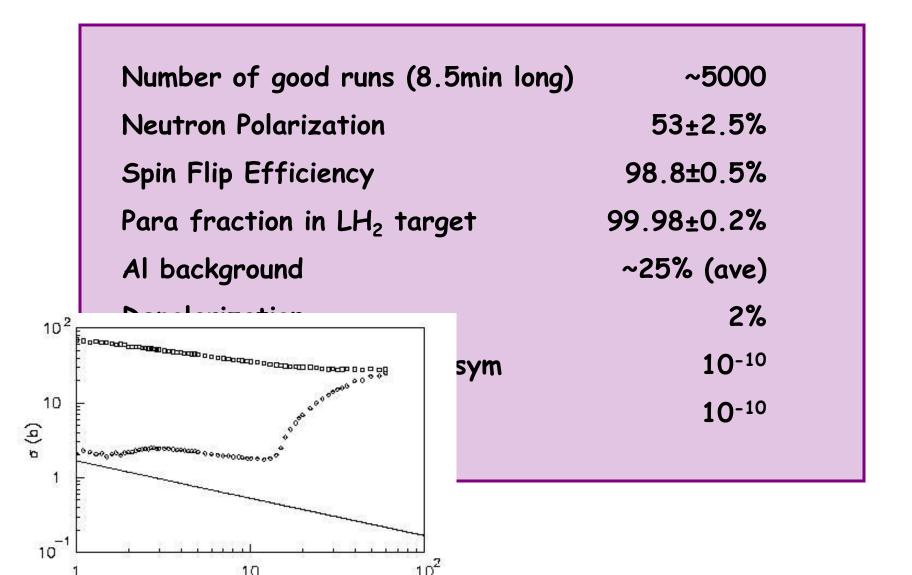


NPDGamma has successfully taken 48 days of continuous production data in 2006 – now on par with the best previous measurement – in preparation for one more year of production data at the SNS.

# Data Summary from 2006 run

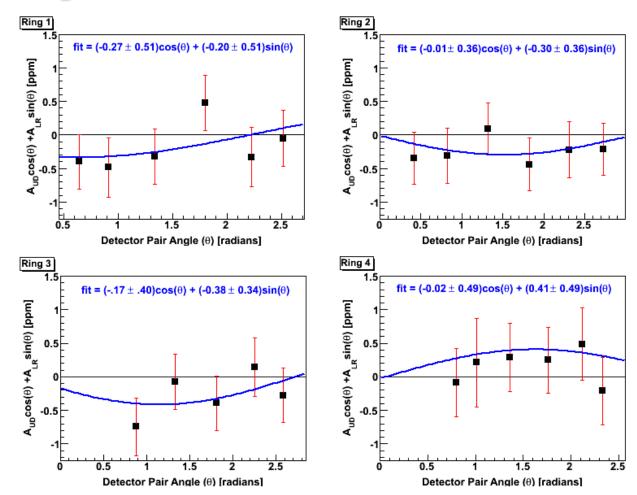
Number of good runs (8.5min long)	~5000
Neutron Polarization	53±2.5%
Spin Flip Efficiency	98.8±0.5%
Para fraction in LH <sub>2</sub> target	99.98±0.2%
Al background	~25% (ave)
Depolarization	2%
Stern-Gerlach steering Asym	10-10
y-ray circ.pol. Asym	10-10

### Data Summary from 2006 run



E (meV)

#### 2006 Hydrogen Results:

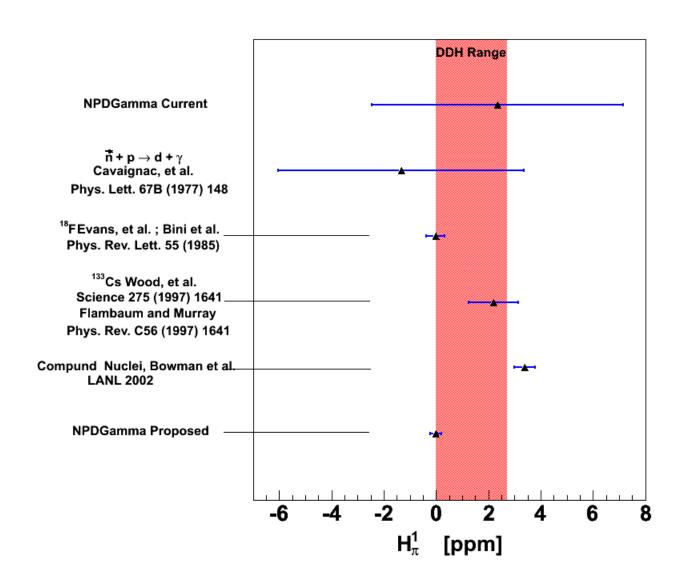


#### **Total statistical error:**

$$A_{y,UD} = (-1.1 \pm 2.1) \times 10^{-7}$$
  $A_{y,LR} = (-1.9 \pm 2.0) \times 10^{-7}$ 

Total systematic error: a (very) conservative 10% mostly due to pol.

#### **Preliminary Hydrogen Results:**



### What's new for the SNS run

- ■Supermirror Polarizer replaces the <sup>3</sup>He Polarizer (x4.1)
- Higher moderator brightness (x12) => more cold/slow neutrons
- ■New LH2 target thinner windows, smaller background contribution

Predicted size -5x10<sup>-8</sup> - NPDGamma will make a 20% measurement, most precise so far

- Installation begins in July 2009
- Production Hydrogen Data: Summer 2010

## The Parity Violating Longitudinal Asymmetry in Polarized Cold Neutron Capture on Helium 3

#### $n^3He$

J.D. Bowman, S.I. Penttilä

R. Carlini

M. Gericke, S.A. Page

C. Crawford

V. Gudkov

J. Martin

C. Gillis

C .Gould

P-N. Seyo

P. Alacorn, T. Balascuta

S. Baessler

M. Viviani

Anna Hayes, Gerry Hale, and Andi Klein

Oak Ridge National Laboratory

Jefferson National Laboratory

University of Manitoba

University of Kentucky

University of South Carolina

University of Winnipeg

**Indiana University** 

NC State University

Duke

Arizona State University

University of Virginia

INFN, Sezione di Pisa

Los Alamos National Laboratory

# n³He Principle of Measurement

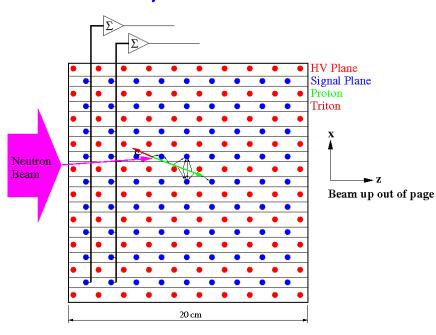
Measure the asymmetry in the number of forward going protons in a  $^3$ He wire chamber as a function of neutron spin:

$$ec{\sigma}_n \cdot ec{k}_T$$
 Directional PV asymmetry in the number of tritons

$$ec{\sigma}_n \cdot ec{k}_p$$
 Directional PV asymmetry in the number of protons

(much larger track length)

- wire chamber is both target and detector
- · wires run vertical or horizontal
- no crossed wire: keep the field simple to avoid electron multiplication (non-linearities)



$$\vec{n} + {}^{3}\text{He} \rightarrow {}^{3}\text{H} + p$$

### Estimated Size Of The Asymmetry

Asymmetry from mixing in the intermediate bound states (RMS width estimate)

$$\vec{n} + {}^3{\rm He} \rightarrow {}^3{\rm H} + p \;\; {
m has a} \;\; (0^+, I=0) \; {
m resonance} \; {
m at} \;\; 20.21 {
m MeV}$$

Parity mixing can occur with the  $(0^-,I=0)$  resonance at  $21.01 \mathrm{MeV}$ 

$$\frac{d\sigma}{d\Omega} \propto \left| \langle \psi_{f0} | H_s | \psi_{i0} \rangle \right|^2 \left[ 1 + \alpha_{PV} \frac{\left| \langle \psi_{f1} | H_s | \psi_{i0} \rangle + \langle \psi_{f0} | H_s | \psi_{i1} \rangle \right|}{\left| \langle \psi_{f0} | H_s | \psi_{i0} \rangle \right|} \right]$$

$$|\psi_i\rangle = |\psi_{i0}\rangle + \alpha_{PV}|\psi_{i1}\rangle$$

$$|\psi_f\rangle = |\psi_{f0}\rangle + \alpha_{PV}|\psi_{f1}\rangle$$

$$\alpha_{PV} = \frac{\langle f|V_{PNC}|i\rangle}{\Delta E} \approx \frac{M_{rms}}{\Delta E} \approx O(10^{-6})$$
  $\Gamma_W = \frac{2\pi M_{rms}^2}{D} = (1.8^{+0.4}_{-0.3}) \times 10^{-7} eV.$ 

$$\Gamma_W = \frac{2\pi M_{rms}^2}{D} = (1.8_{-0.3}^{+0.4}) \times 10^{-7} eV$$

G.E. Mitchell et al. Phys. Rep. 354, 157 (2001)

### Calculations by the Pisa Group

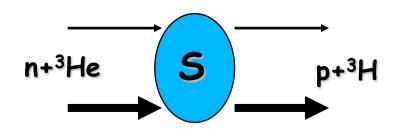
#### Use a cluster calculation:

Set A  

$$\mathbf{x}_{1A} = \sqrt{\frac{3}{2}} \left( \mathbf{r}_m - \frac{\mathbf{r}_i + \mathbf{r}_j + \mathbf{r}_k}{3} \right),$$

$$\mathbf{x}_{2A} = \sqrt{\frac{4}{3}} \left( \mathbf{r}_k - \frac{\mathbf{r}_i + \mathbf{r}_j}{2} \right),$$

$$\mathbf{x}_{3A} = \mathbf{r}_j - \mathbf{r}_i,$$



J. Phys. G: Nucl. Part. Phys. 35 (2008) 063101

Obtain scattering wave functions from expansions in hyperspherical harmonic basis  $\alpha \propto \alpha' = \frac{1}{2} \left( \frac{1}{2} \left( \frac{1}{2} \right) + \frac{1}{2} \left( \frac{1}{2} \right) \right)$ 

$$S_{\alpha,\alpha'}^{\gamma,\gamma'} = -2i\langle \overline{\Psi}_{\alpha,\gamma}^{(-)} | H - E | \overline{\Psi}_{\alpha',\gamma'} \rangle$$
$$= -2i\langle \overline{\Psi}_{\alpha,\gamma}^{(-)} | V_{PV} | \overline{\Psi}_{\alpha',\gamma'} \rangle .$$

Work out the allowed angular momentum transition (up to J=2) and use the Kohn variational principle to obtain S matrix elements

$$\mathcal{A}_{z} \propto \mathcal{S}^{+} - \mathcal{S}^{-} pprox \sum_{J_{1}, L_{1}, S_{1}, L_{1}', S_{1}'} \sum_{J_{2}, L_{2}, S_{2}, L_{2}', S_{2}'} \mathcal{C}_{L_{1}, S_{1}, L_{1}', S_{1}'}^{npJ_{1}} \mathcal{C}_{L_{2}, S_{2}, L_{2}', S_{2}'}^{npJ_{1}} \Big[ 1 - (-)^{L_{1} + L_{2} + L_{1}' + L_{2}'} \Big] \mathcal{S}^{+}$$

### n³He Relevance

5 EFT parameters :  $(\lambda_t, \lambda_s^{I=0,1,2}, 
ho_t)$ 

$${}^{3}S_{1}(I=0) \leftrightarrow {}^{1}P_{1}(I=0)$$

Correspond to: 
$${}^3S_1(I=0) \leftrightarrow {}^1P_1(I=0)$$
 
$${}^1S_0(I=0,1,2) \leftrightarrow {}^3P_0(I=0,1,2)$$

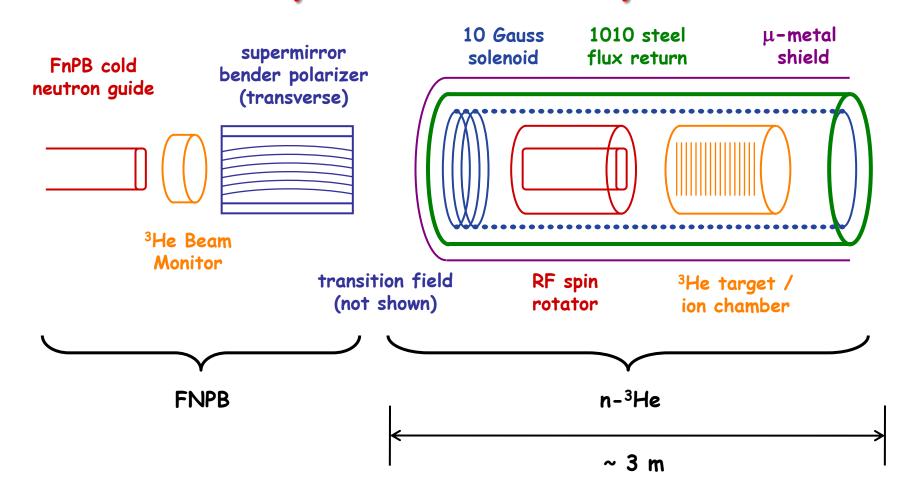
$${}^{3}S_{1}(I=0) \leftrightarrow {}^{3}P_{1}(I=1)$$

n3He asymmetry

relation to EFT constant: 
$$A_p^{\vec{n},^3He}(th.) = \kappa \lambda_s^{I=0} + ... \approx 3 \times 10^{-7}$$

M. Viviani, R. Schiavilla, calculation in progress

### Experimental Setup



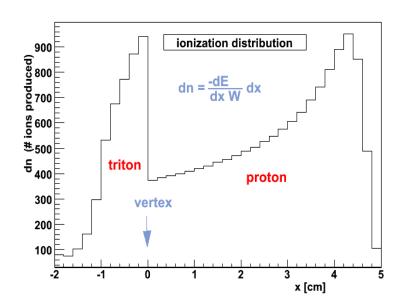
- ·longitudinal holding field suppressed PC asymmetry
- •RF spin flipper negligible spin-dependent neutron velocity
- ·3He ion chamber both target and detector

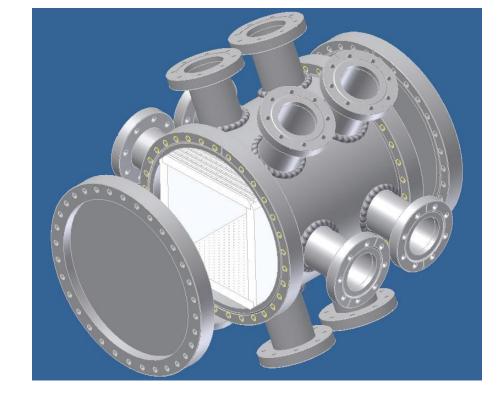
- MC simulations of sensitivity to proton asymmetry
  - including wire correlations

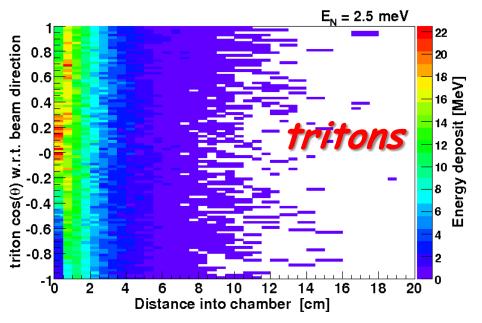
$$- \delta A_{ph} = \frac{1}{\sqrt{N}P_N} \sqrt{\sigma_D^2 + \sigma_{coll}^2}$$

$$\sigma_d \simeq 6$$

- tests at LANSCE FP12
  - fission chamber flux calibration
  - prototype drift chamber R&D
  - new beam monitors for SNS





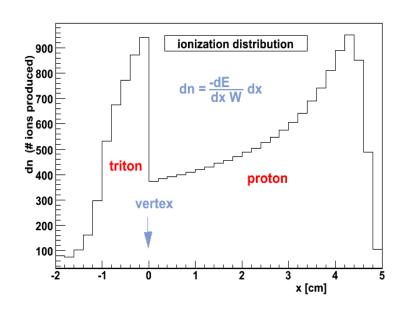


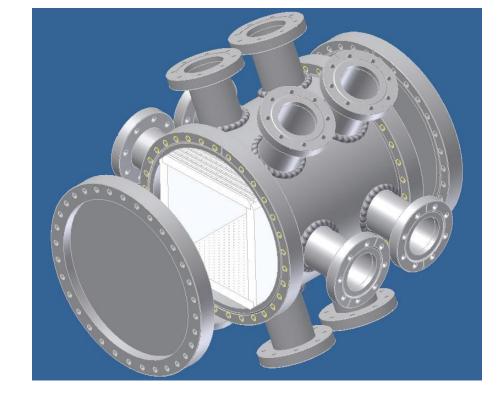
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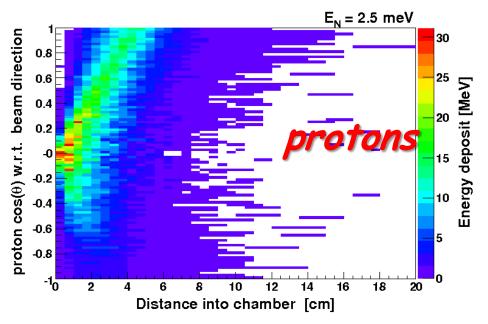
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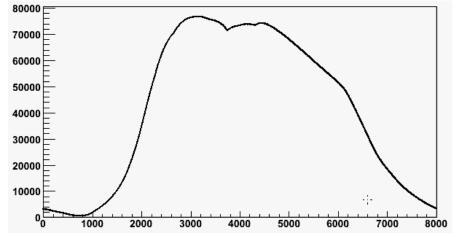


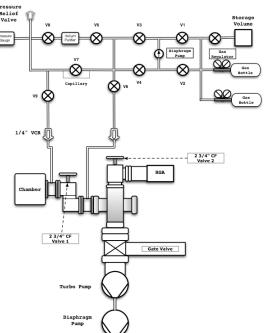


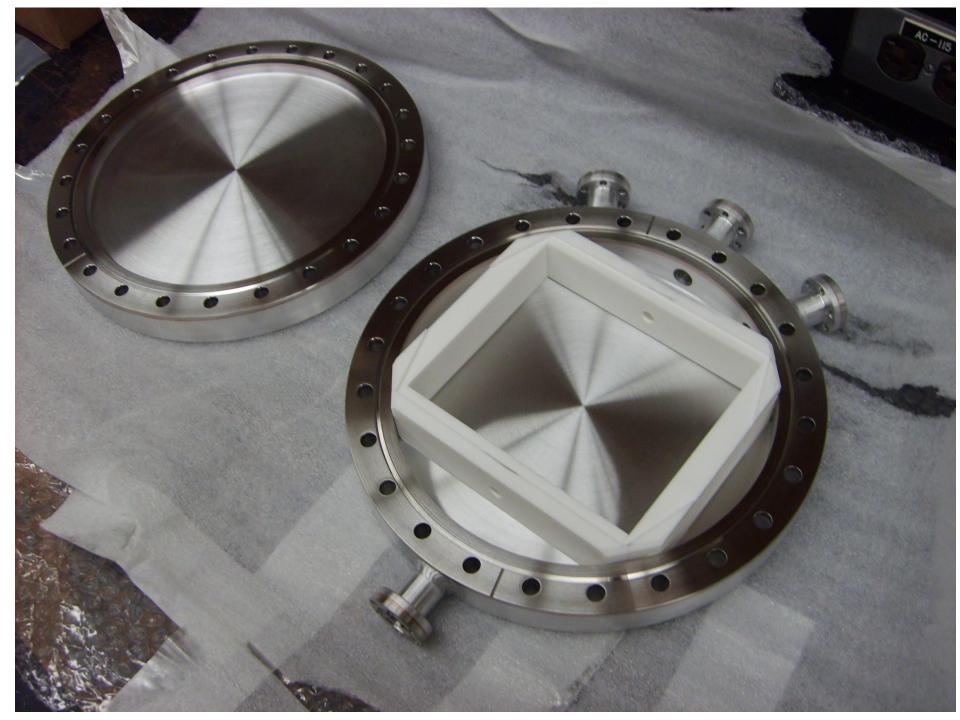


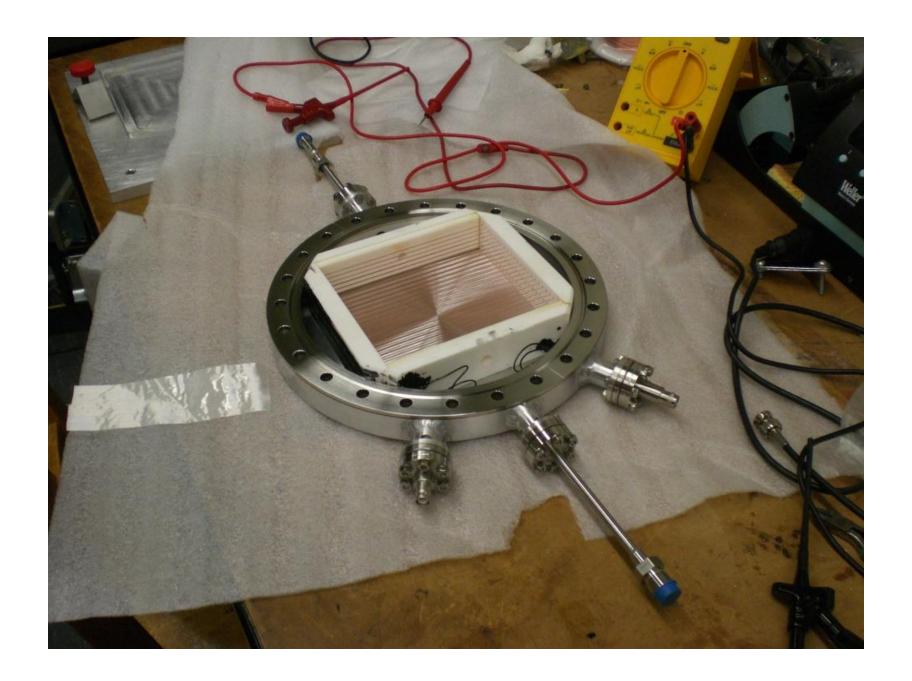
### LANSCE n³He Chamber Tests







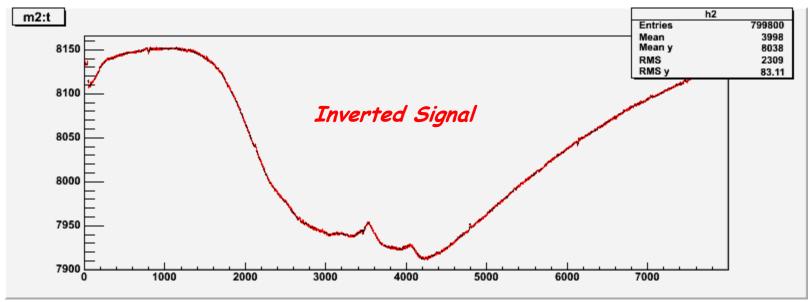






Right: LANL FP12 beam line with new beam monitor installed

Below: New beam monitor signal at 100  $\mu$ A proton beam current.



### Status/Schedule

- n-3He experiment approved by the FnPB PRAC, 2008-01-07
  - first measurement of PV in the n-3He reaction
  - large asymmetry ~10<sup>-7</sup>
  - proposed measurement accuracy  $\delta A = 1.0 imes 10^{-8}$
- recent progress in experimental design
  - full 4-body calculation of PV observable
  - R&D projects on target/detector design at LANL
  - new spin flipper design permitting compact / less expensive layout
  - preliminary holding field design
- leverage existing hardware / technology
  - major components based on similar NPDGamma instrumentation
  - can reuse NPDGamma electronics / power supplies
- FnPB infrastructure
  - no safety hazards, no LH<sub>2</sub> target, new power or cooling requirements
  - minimal modification of FnPB cave stand for n-3He solenoid
  - technician support for readiness review preparation, setup of experiment
- Tentative Schedule
  - 2009-2010 Design and development
  - Late 2011 Installation
  - 2012 Run

