

Recent results on **GPD/DVCS** experiments at **CLAS**

Jacques Ball

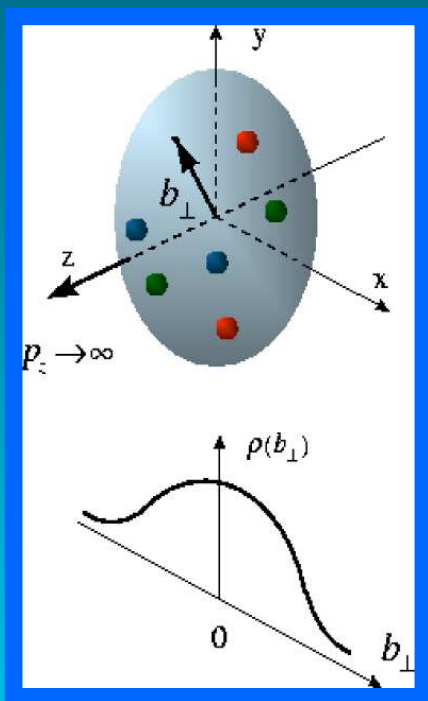
(On behalf of the CLAS collaboration)

- GPDs
- DVCS experiments at CLAS
- Results
- Future



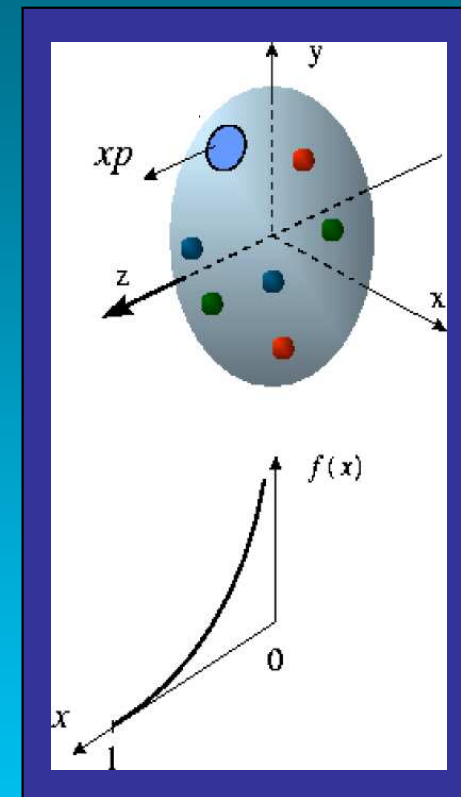
Generalized Parton Distributions (GPDs)

Elastic Scattering



Proton form factors,
transverse charge &
current densities

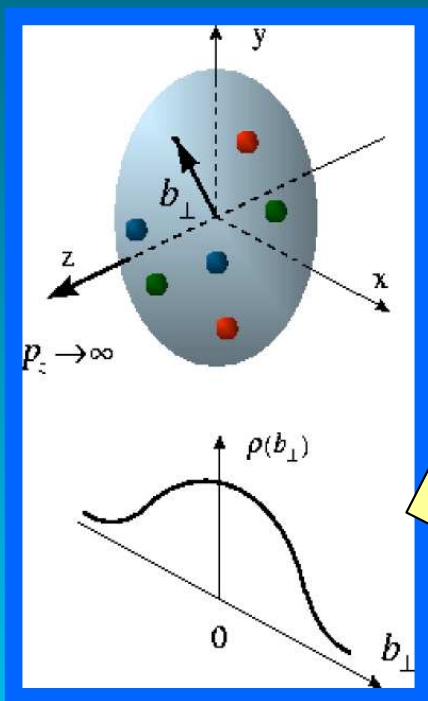
DIS



Structure functions,
quark **longitudinal**
momentum & helicity
distributions

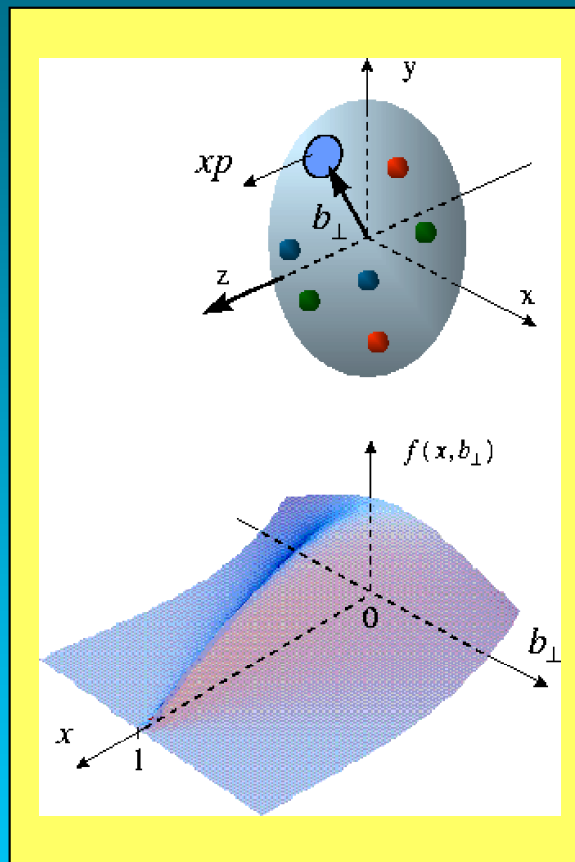
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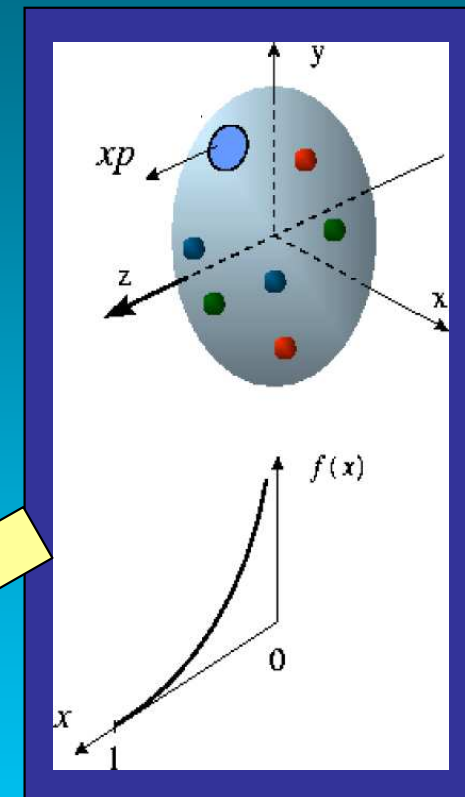
Proton form factors,
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current densities

DES



Correlated quark momentum
and helicity distributions in
transverse space - **GPDs**

DIS

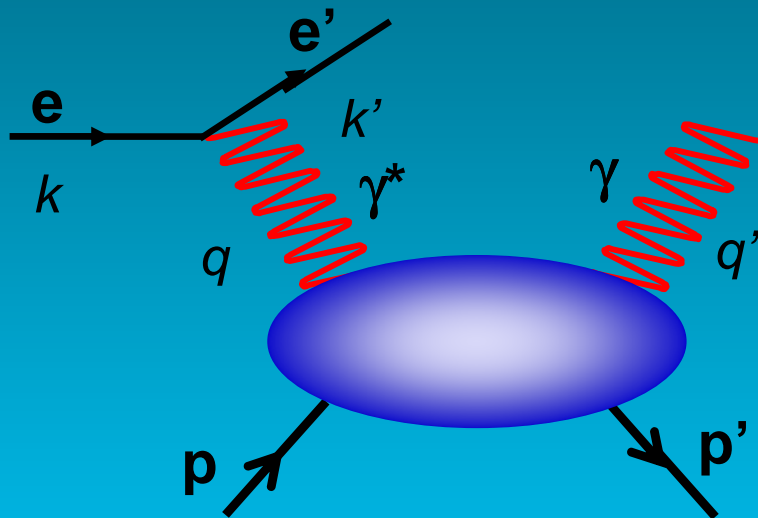


Structure functions,
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momentum & helicity
distributions

GPDs

Deeply Virtual Compton Scattering

Exclusive $\vec{e}p \rightarrow e'p\gamma$



$$Q^2 = -q^2 = -(k - k')^2$$

$$t = (p - p')^2$$

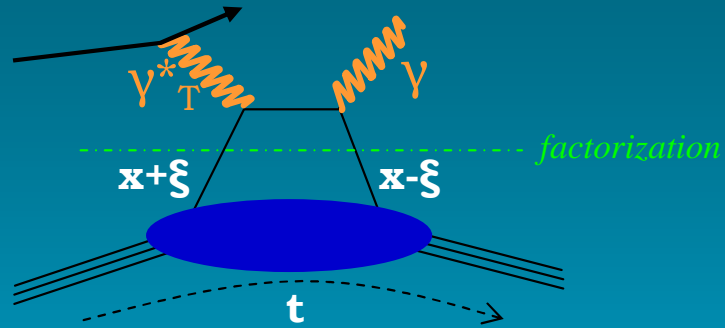
$$x_B = \frac{Q^2}{2p \cdot q}$$

DVCS is one of the keys to access GPDs :

-Simplest process described by GPDs

-Measured Observables would lead to GPDs extraction

DVCS and GPDs



- x longitudinal momentum fraction to the quark
- t squared 4-momentum transfer to the target

Observables are integrals, in x , of GPDs

$$H, \tilde{H}, E, \tilde{E}(x, \xi, t)$$

$\xi = f(x_B)$ and t fixed by the kinematics

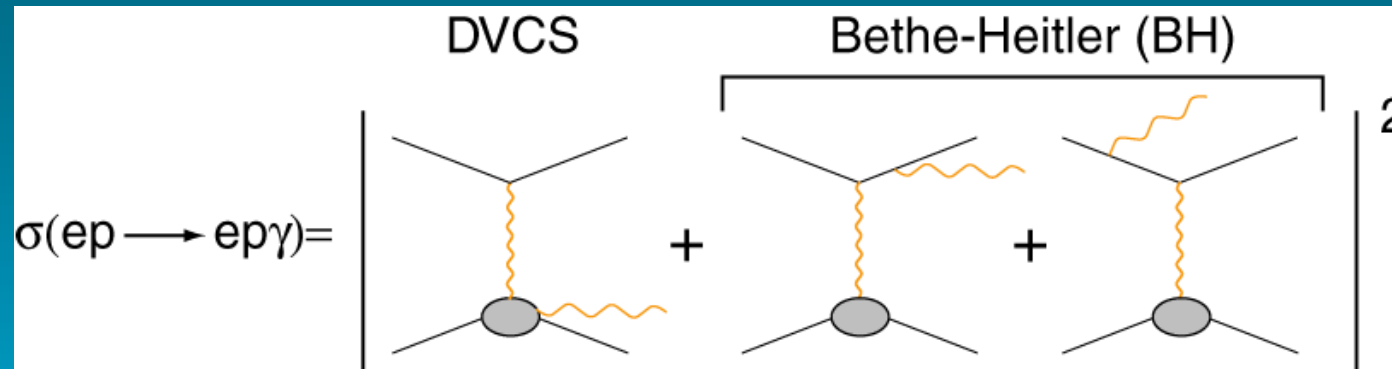
At leading order:

$$T^{DVCS} \sim \int_{-1}^{+1} \frac{H^q(x, \xi, t)}{x \pm \xi + i\epsilon} dx + \dots \sim P \int_{-1}^{+1} \frac{H^q(x, \xi, t)}{x \pm \xi} dx - i\pi H^q(\pm \xi, \xi, t) + \dots$$

H^q : probability amplitude for N to emit a parton q with $x+\xi$ and N' to absorb it with $x-\xi$.

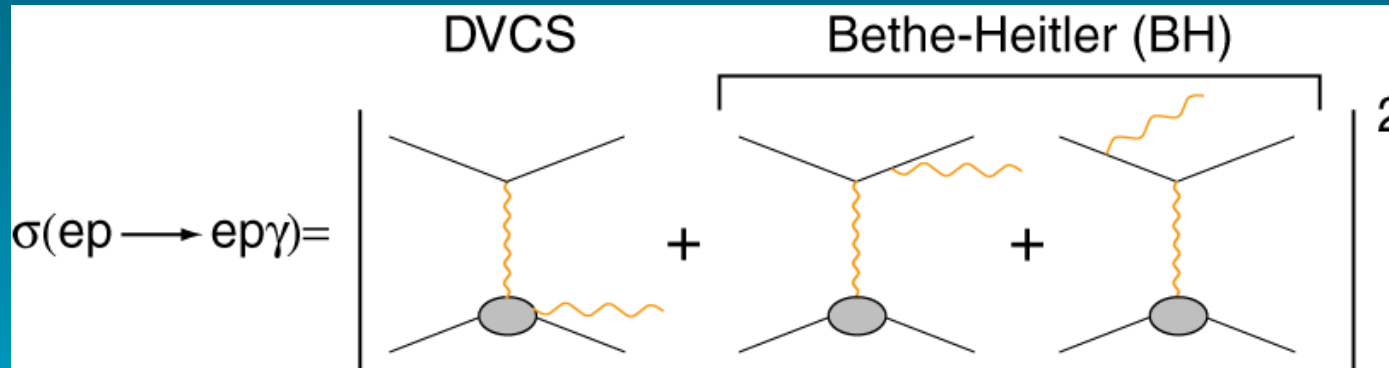
Experimental observables linked to GPDs

Experimentally, DVCS is undistinguishable with Bethe-Heitler



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However, we know FF at low t and **BH is fully calculable**

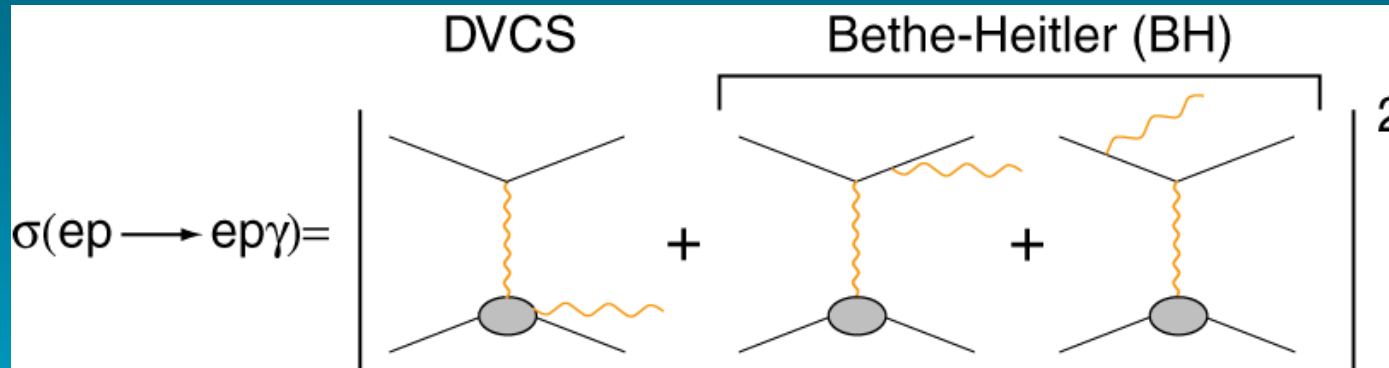
Using a polarized beam on an unpolarized target, 2 observables can be measured:

$$\frac{d^4\sigma}{dx_B dQ^2 dt d\varphi} \approx |T^{BH}|^2 + 2T^{BH} \cdot \text{Re}(T^{DVCS}) + |T^{DVCS}|^2$$

$$\frac{d^4\vec{\sigma} - d^4\overleftarrow{\sigma}}{dx_B dQ^2 dt d\varphi} \approx 2T^{BH} \cdot \text{Im}(T^{DVCS}) + \left[|T^{DVCS} \vec{}|^2 - |T^{DVCS} \overleftarrow{}|^2 \right]$$

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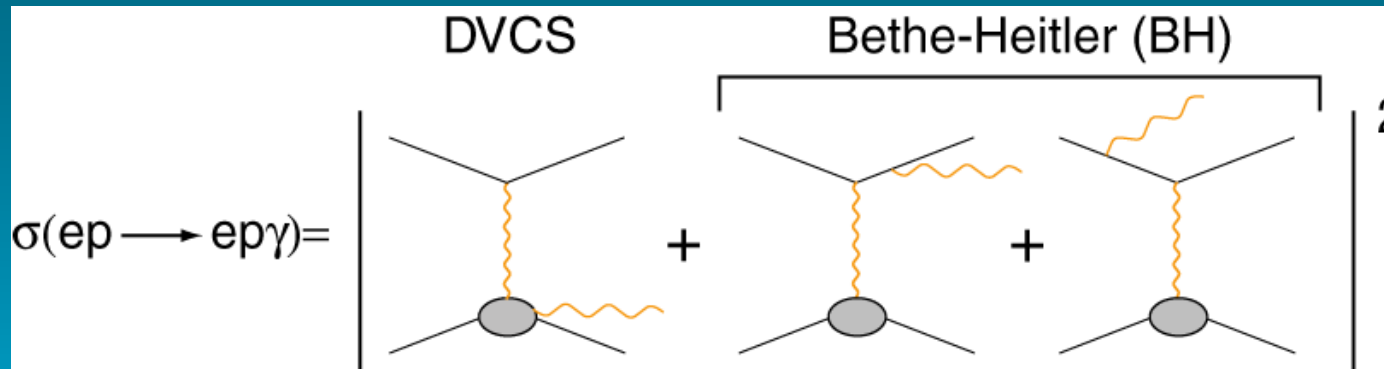
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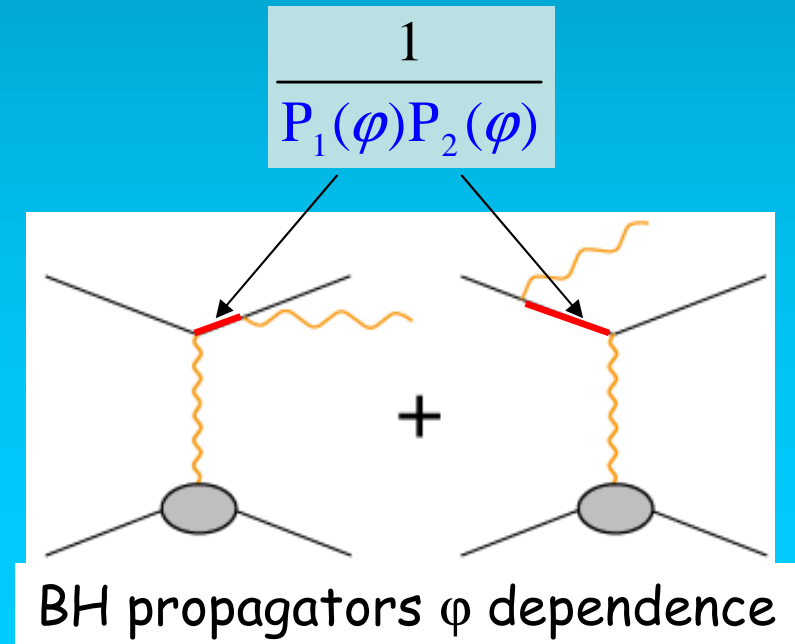
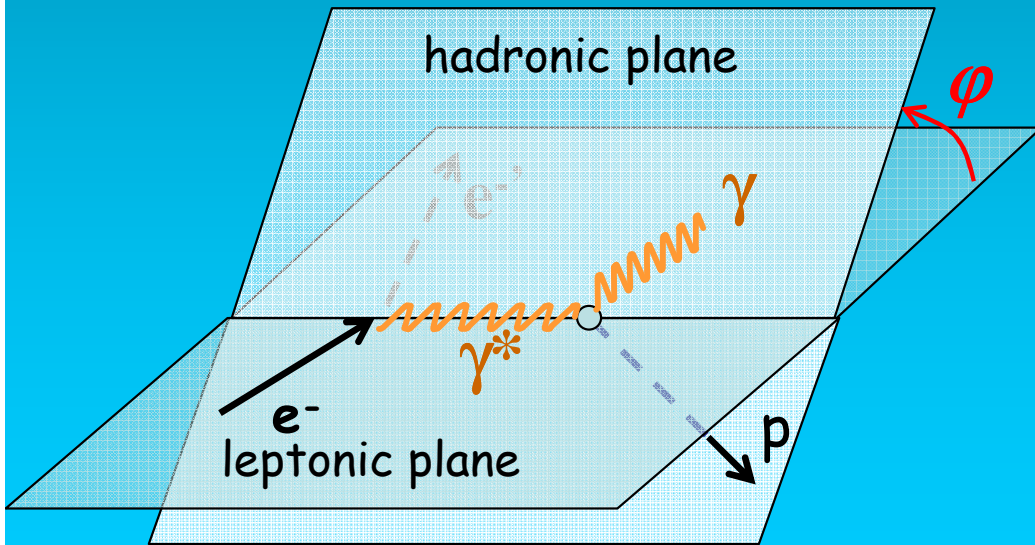
Into the harmonic structure of DVCS

$$\frac{d^4\sigma}{dx_B dQ^2 dt d\varphi} = \frac{1}{P_1(\varphi)P_2(\varphi)} \Gamma_1(x_B, Q^2, t) \left\{ c_0^{BH} + c_1^{BH} \cos \varphi + c_2^{BH} \cos 2\varphi \right\} + \frac{1}{P_1(\varphi)P_2(\varphi)} \Gamma_2(x_B, Q^2, t) \left\{ c_0^I + c_1^I \cos \varphi + c_2^I \cos 2\varphi + c_3^I \cos 3\varphi \right\}$$

$$\frac{d^4 \vec{\sigma} - d^4 \overleftarrow{\sigma}}{dx_B dQ^2 dt d\varphi} = \frac{\Gamma(x_B, Q^2, t)}{P_1(\varphi)P_2(\varphi)} \left\{ s_1^I \sin \varphi + s_2^I \sin 2\varphi \right\}$$

$|T^{BH}|^2$

Interference term



2009-07-08

Chiral 09

Separating GPDs through Polarization

$$\text{Asymmetry : } A = \frac{\sigma^+ - \sigma^-}{\sigma^+ + \sigma^-} = \frac{\Delta\sigma}{2\sigma}$$

$$\xi = x_B / (2 - x_B)$$

$$k = t / 4M^2$$

Polarized beam, unpolarized target:

$$\Delta\sigma_{LU} \sim \sin\phi \{ F_1 H + \xi(F_1 + F_2) \tilde{H} + kF_2 E \} d\phi$$

Kinematically suppressed



H, \tilde{H}, E

Unpolarized beam, longitudinal target:

$$\Delta\sigma_{UL} \sim \sin\phi \{ F_1 \tilde{H} + \xi(F_1 + F_2)(H + \dots) \} d\phi$$



H, \tilde{H}

Unpolarized beam, transverse target:

$$\Delta\sigma_{UT} \sim \sin\phi \{ k(F_2 H - F_1 E) + \dots \} d\phi$$

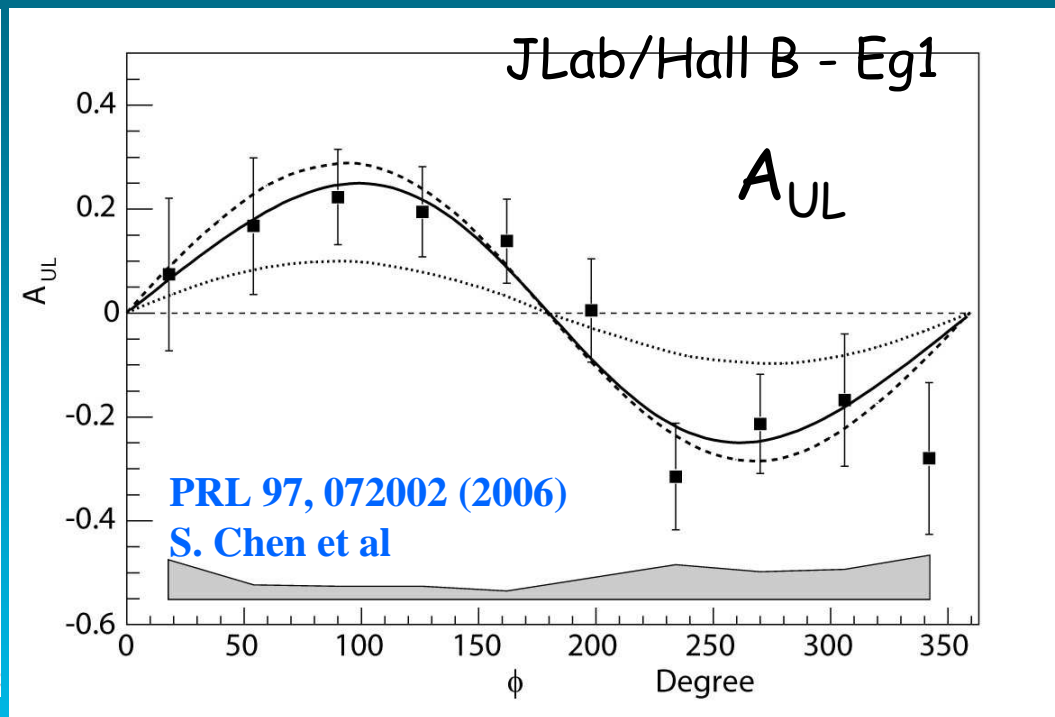
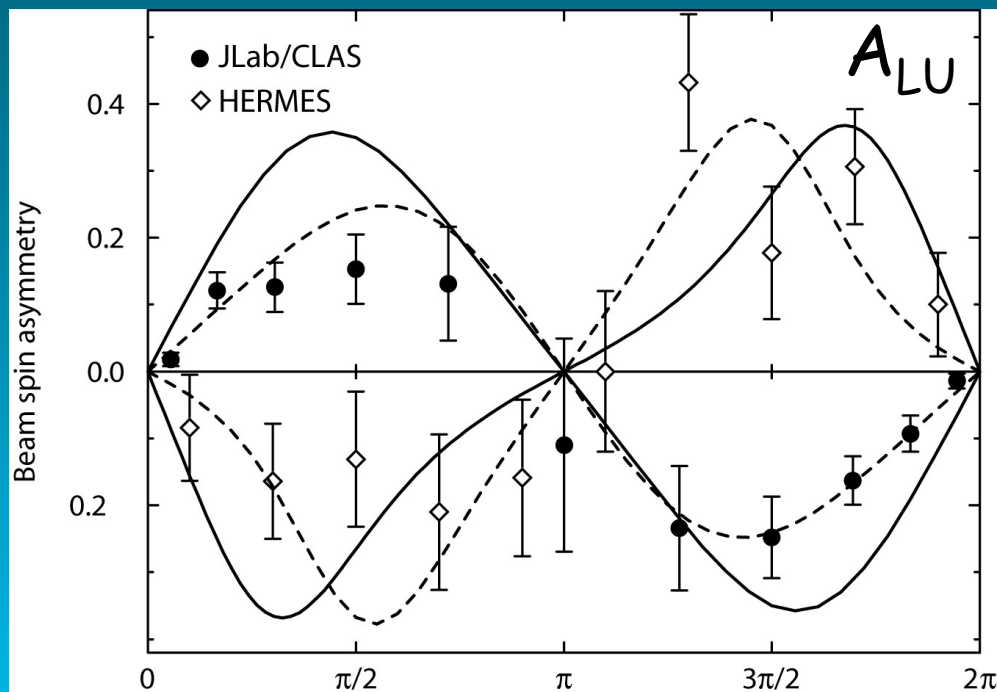


H, E

Global analysis of polarized and unpolarized data needed for GPD separation

Published non-dedicated results on A_{LU} and A_{UL}

JLab/Hall B - E1 & HERMES



CLAS: PRL 87, 182002 (2001)
HERMES: PRL 87, 182001 (2001)

Both results show, with a limited statistics, a $\sin\phi$ behavior
(necessary condition for handbag dominance)

In the A_{LU} result, DD models (VGG) tend to over-estimate the data

The perfect tools



The perfect tools

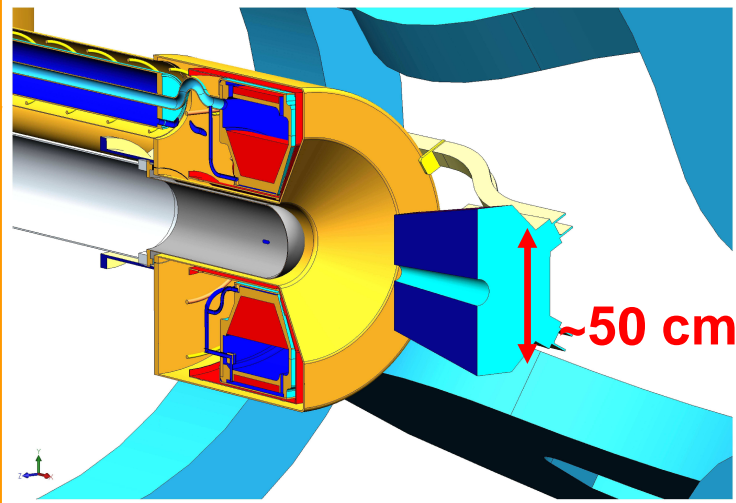
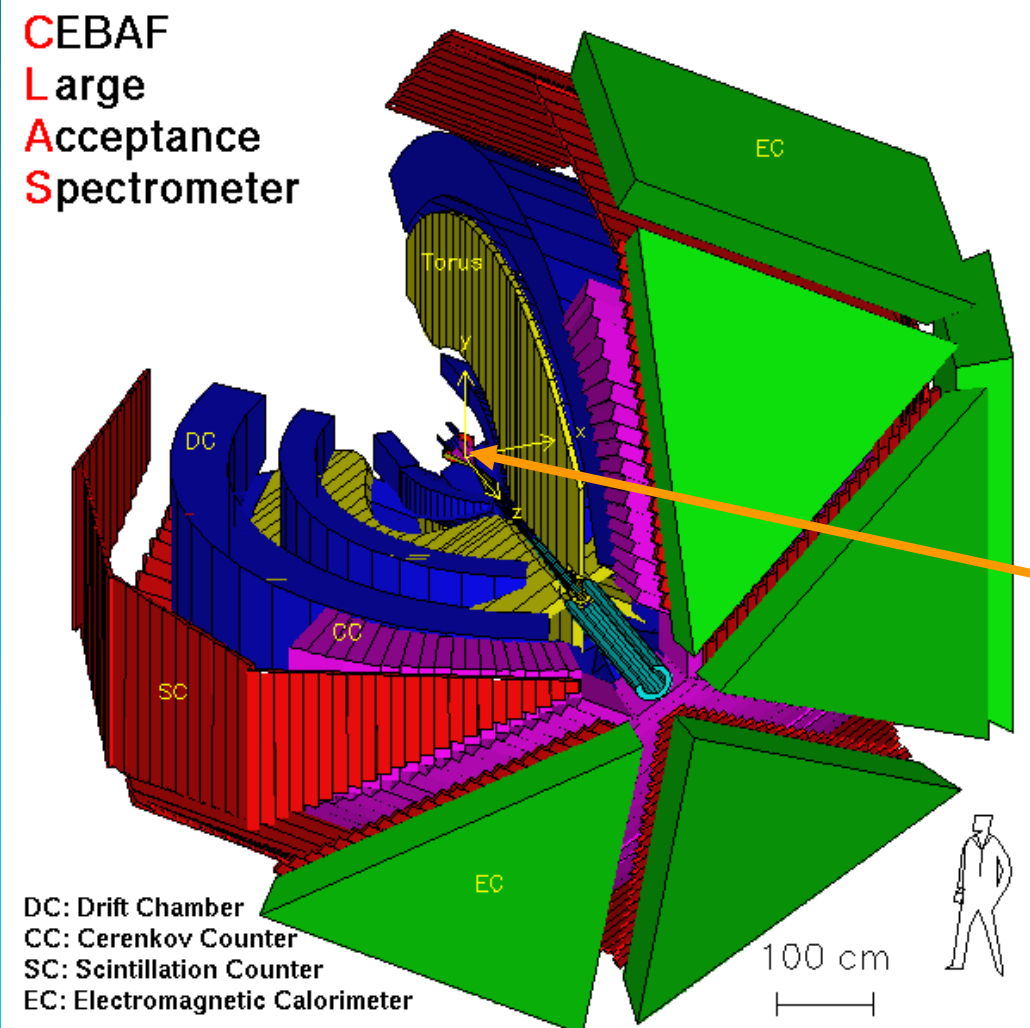


E1-DVCS with CLAS

Beam energy: ~5.8 GeV
 Beam Polarization: 75-85%
 Integ. Luminosity: 45 fb⁻¹
 2nd half of data under analysis

e⁻ identified in EC and ČC
 p through TOF, track length, momentum.
 Photon detected in EC
 Or in IC (4.5 to 15° for γ 1 to 5 GeV)

Q² from 1 to 4.8 GeV²
 x_B from 0.11 to 0.58
 -t from 0.09 to 1.8 GeV²
Inner Calorimeter
 + Moller shielding solenoid

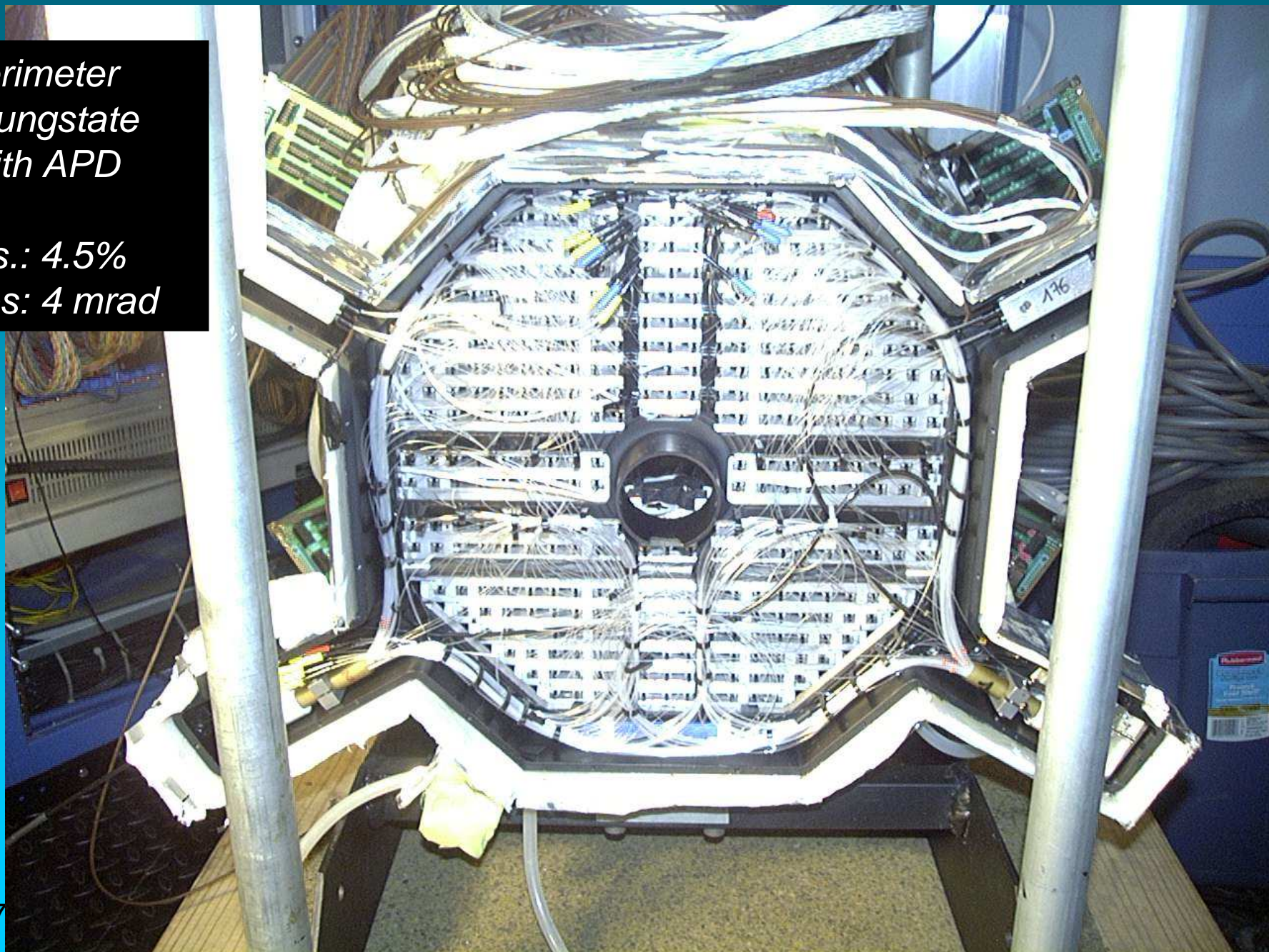


Additional Equipment for E1-DVCS

*Inner Calorimeter
424 lead-tungstate
crystals with APD
readout.*

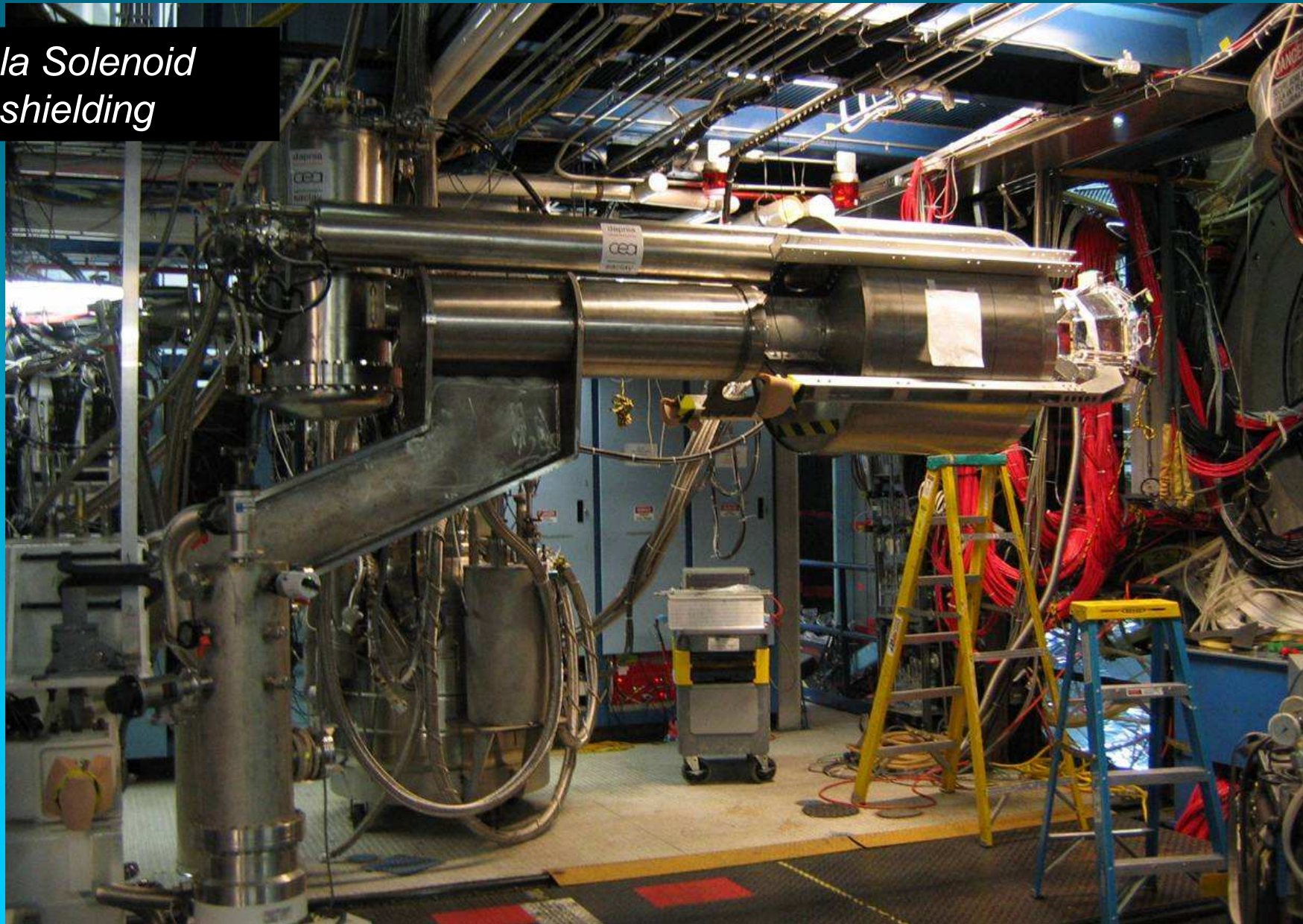
Energy res.: 4.5%

Angular res.: 4 mrad



Additional Equipment for E1-DVCS

*4.7 tesla Solenoid
Active shielding*

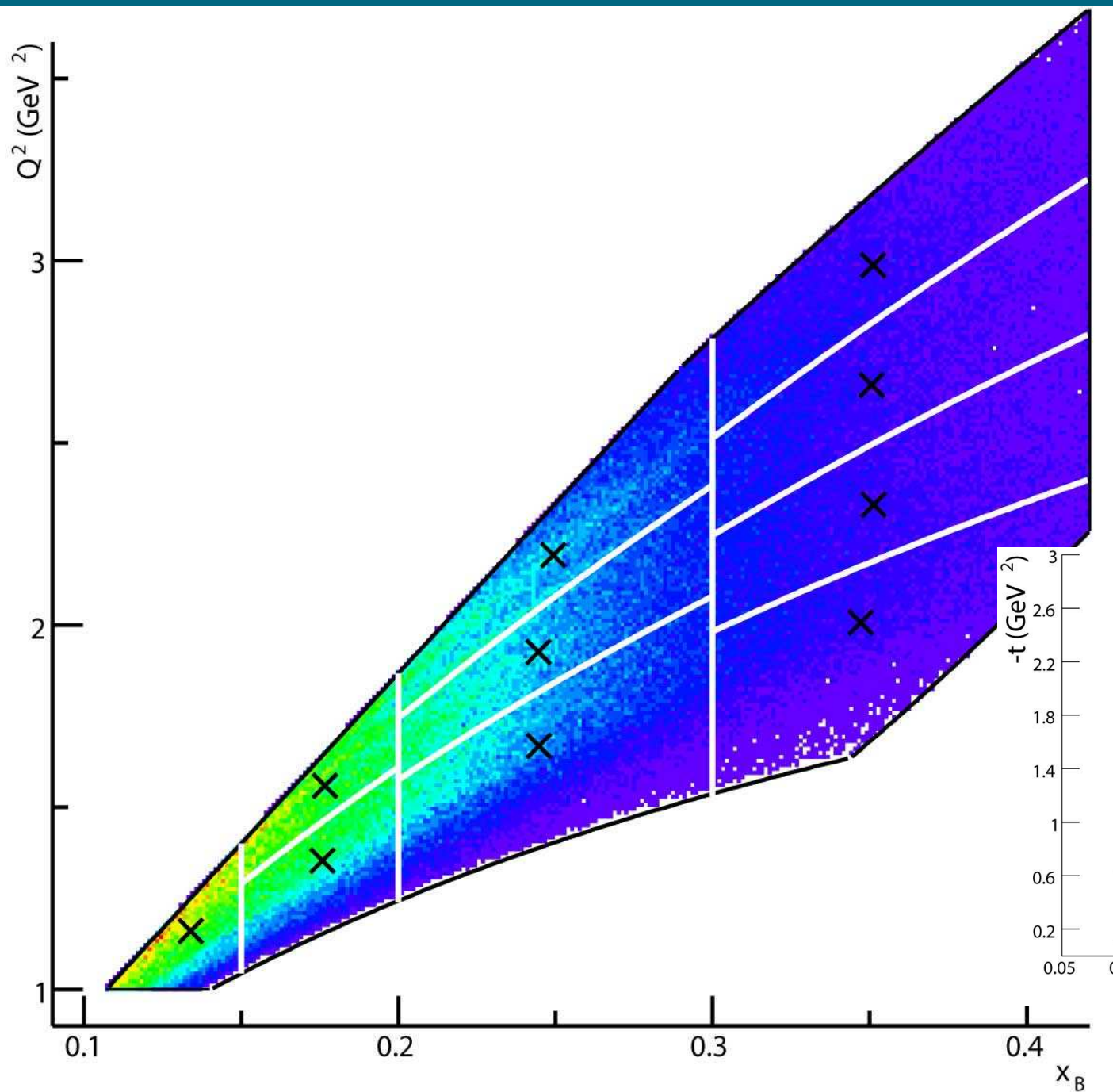


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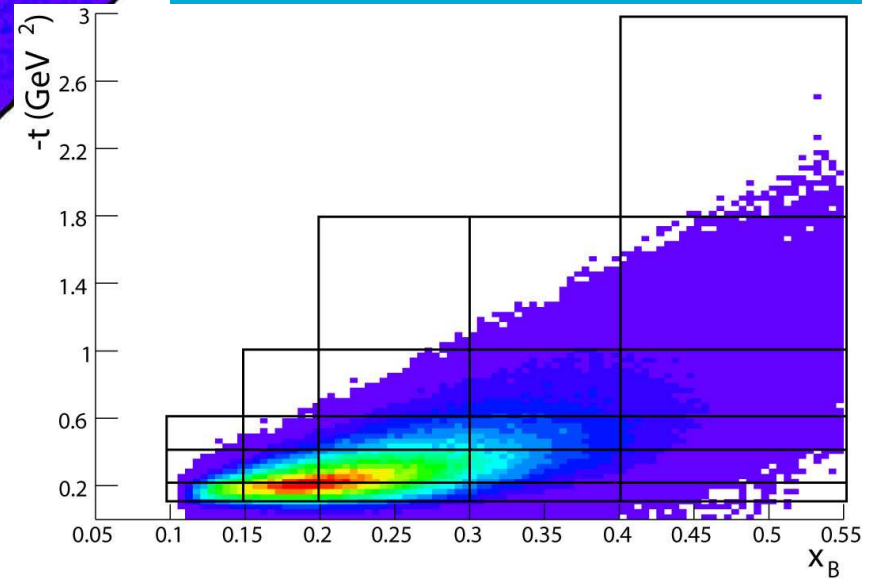
Chiral 09

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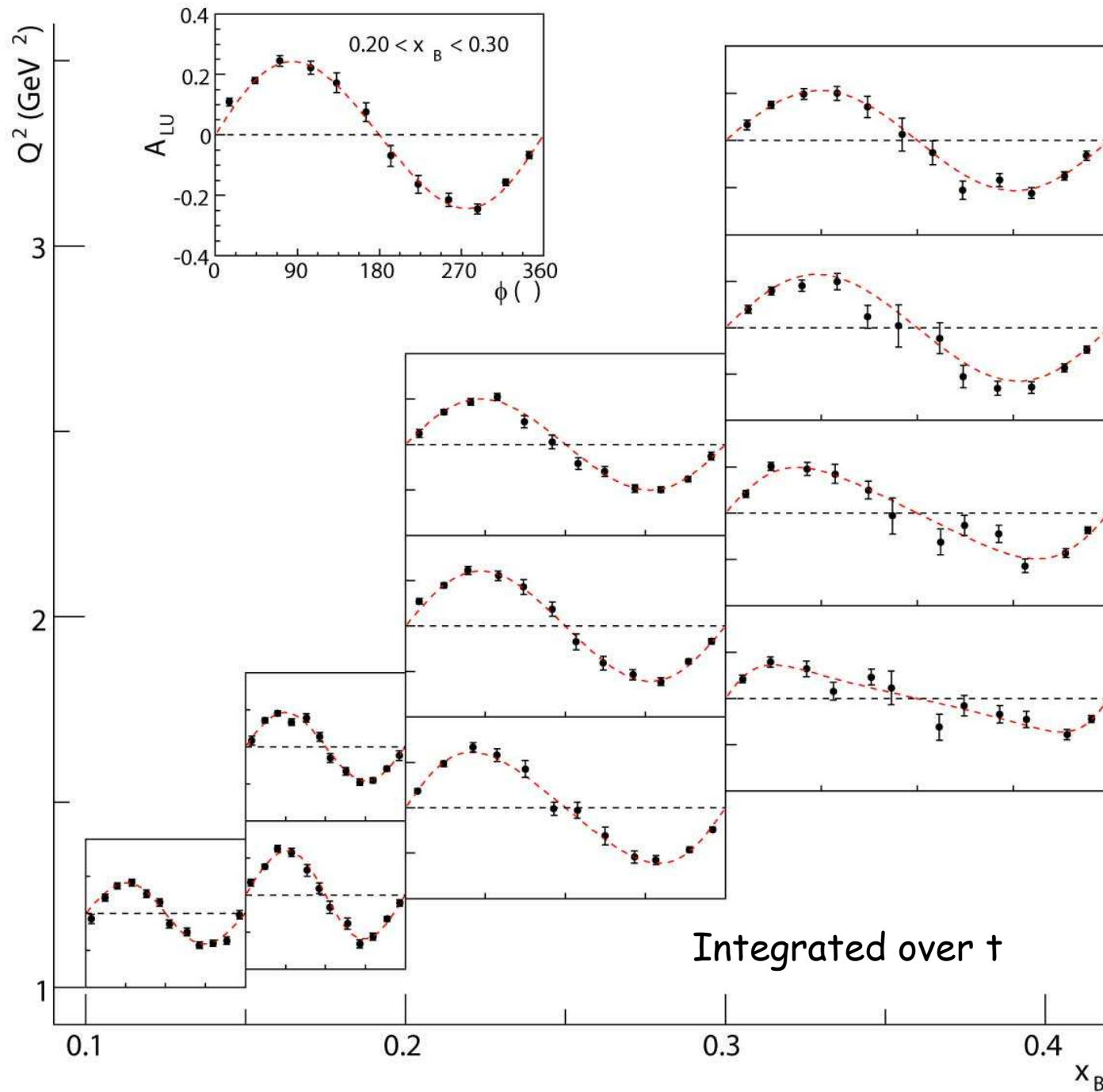
E1-DVCS kinematical coverage and binning



$W^2 > 4 \text{ GeV}^2$
 $Q^2 > 1 \text{ GeV}^2$

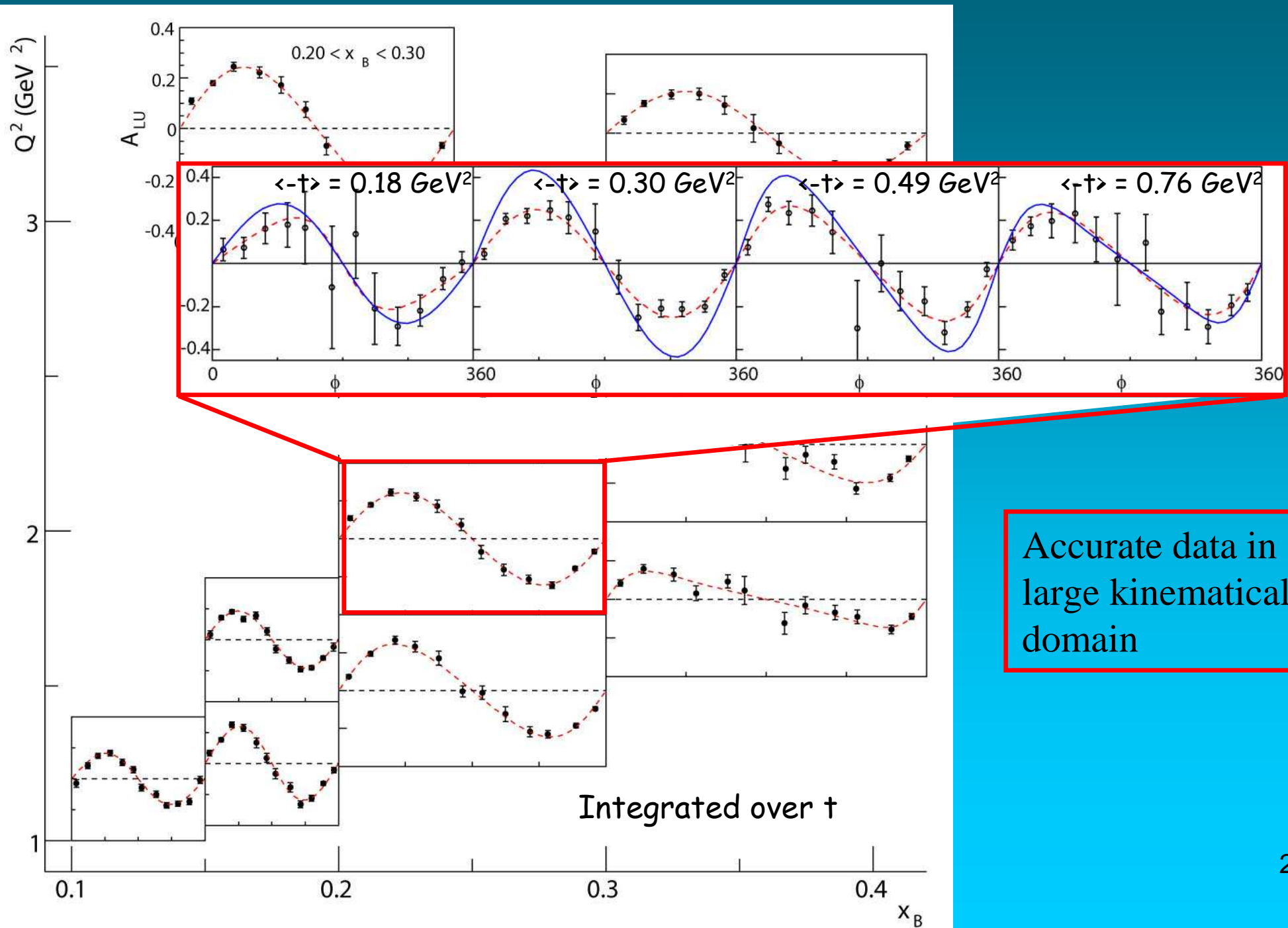


E1-DVCS : Asymmetry as a function of x_B and Q^2

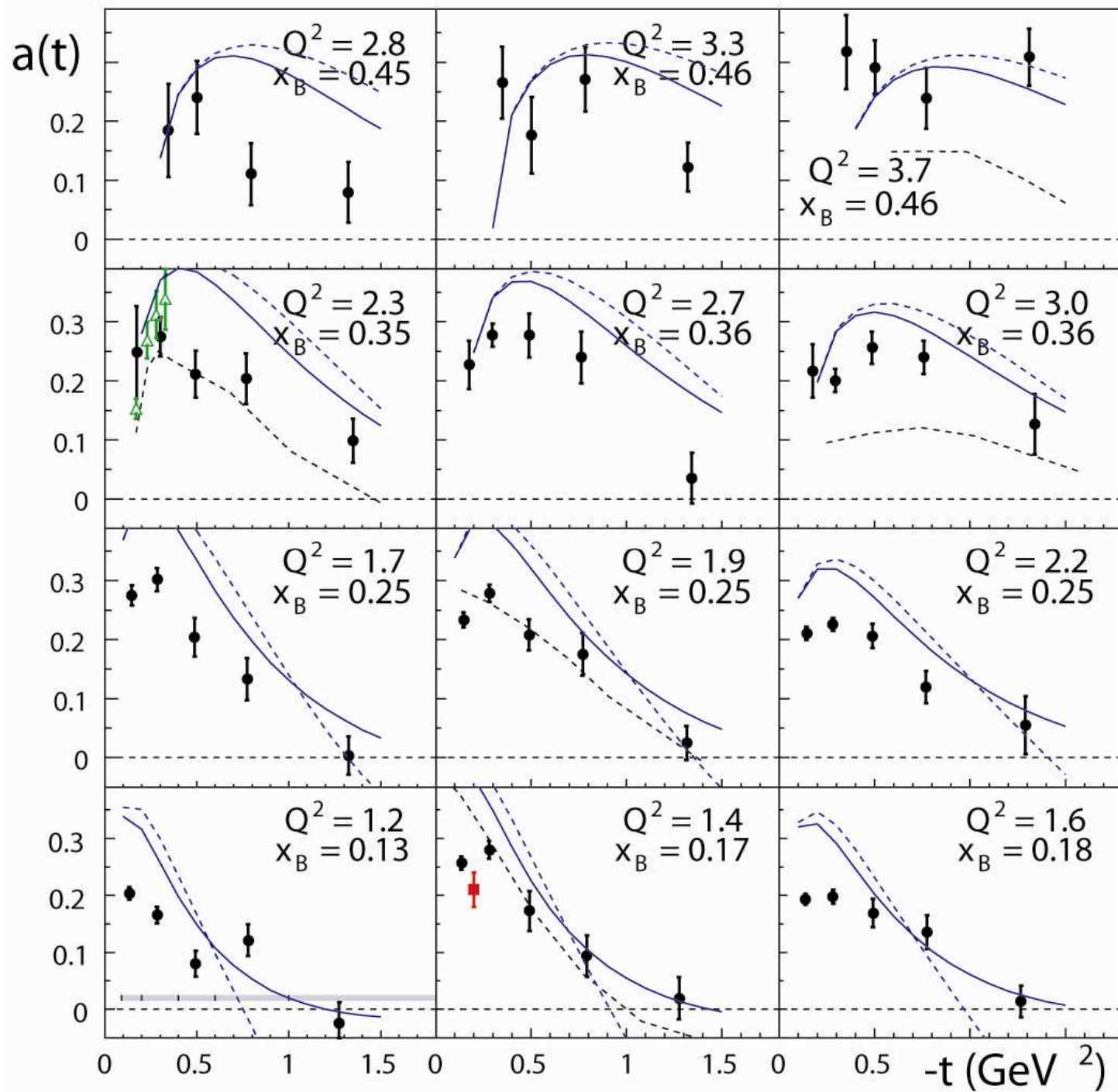


Accurate data in a large kinematical domain

E1-DVCS : Asymmetry as a function of x_B and Q^2

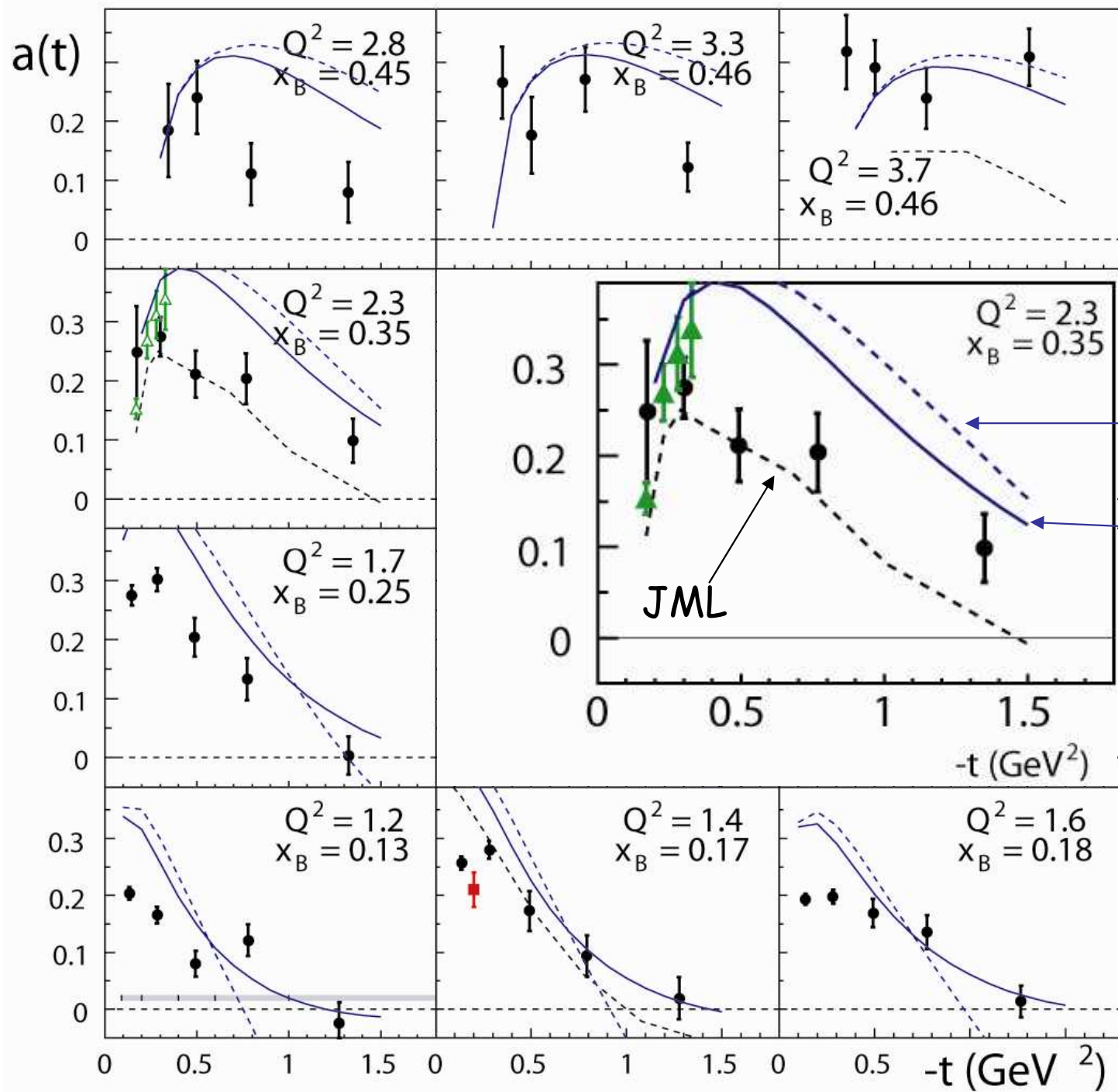


E1-DVCS : $A_{LU}(90^\circ)$ as a function of $-t$ + models



F.X. Girod et al
PRL100 162002, 2008

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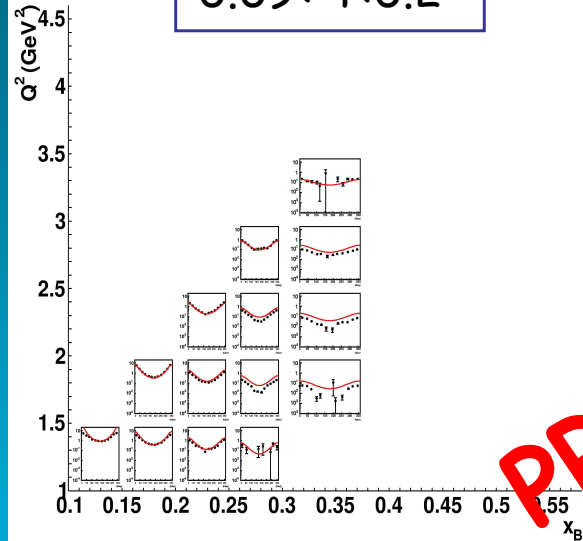
VGG twist-2+3

VGG twist-2

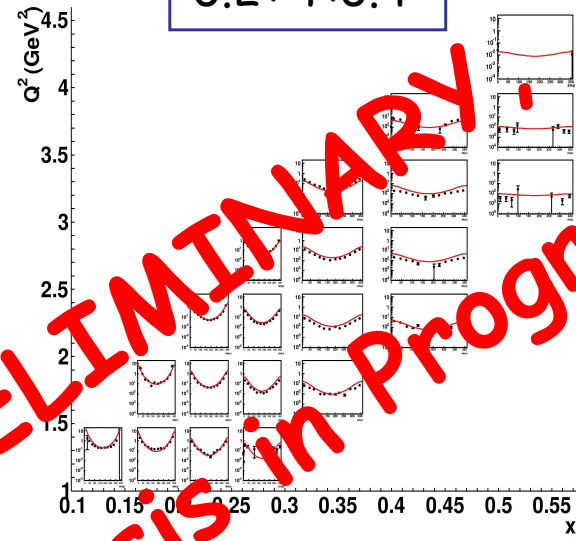
E1-DVCS : Cross-sections over a wide kinematical range

PhD Thesis H.S. Jo

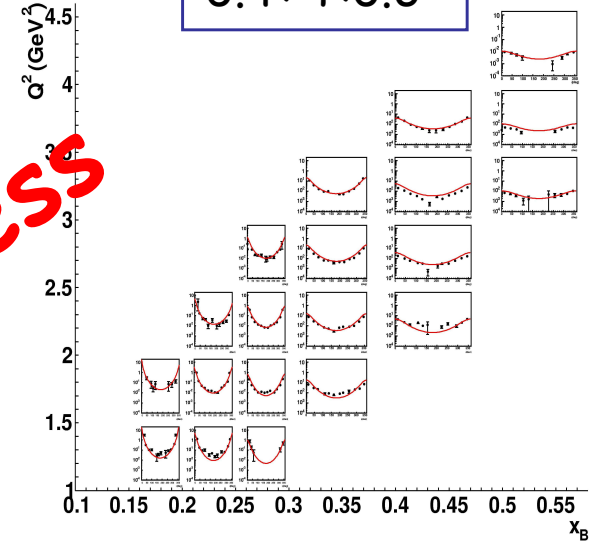
0.09 < -t < 0.2



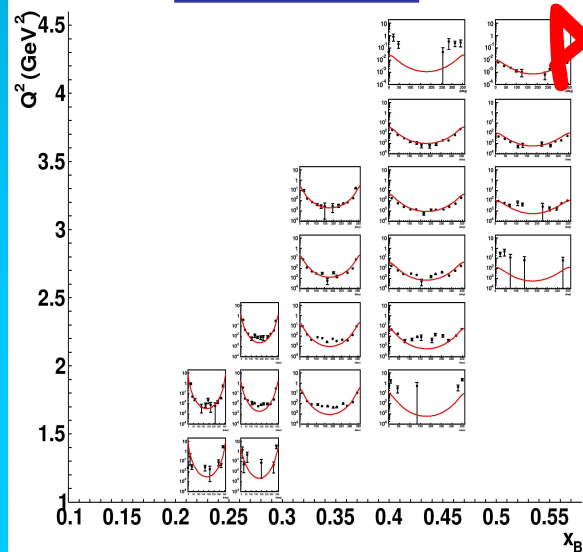
0.2 < -t < 0.4



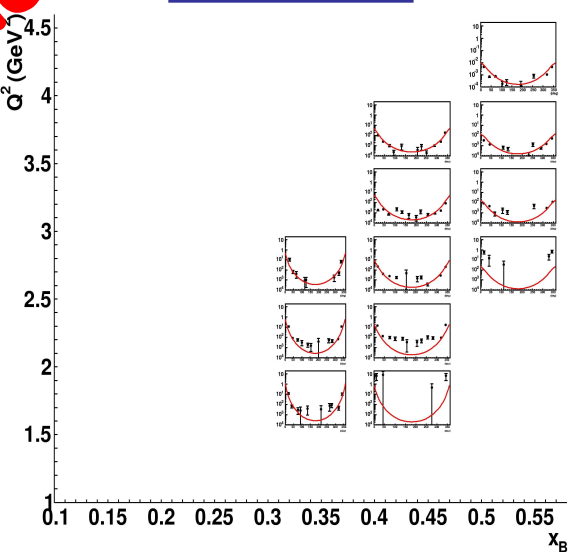
0.4 < -t < 0.6



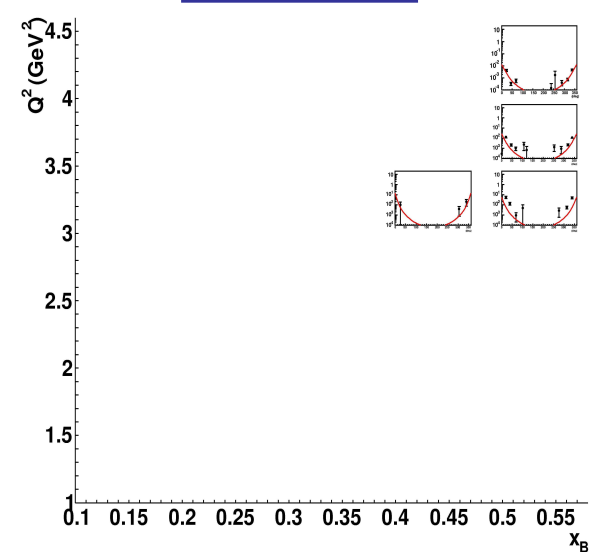
0.6 < -t < 1



1 < -t < 1.5



1.5 < -t < 2

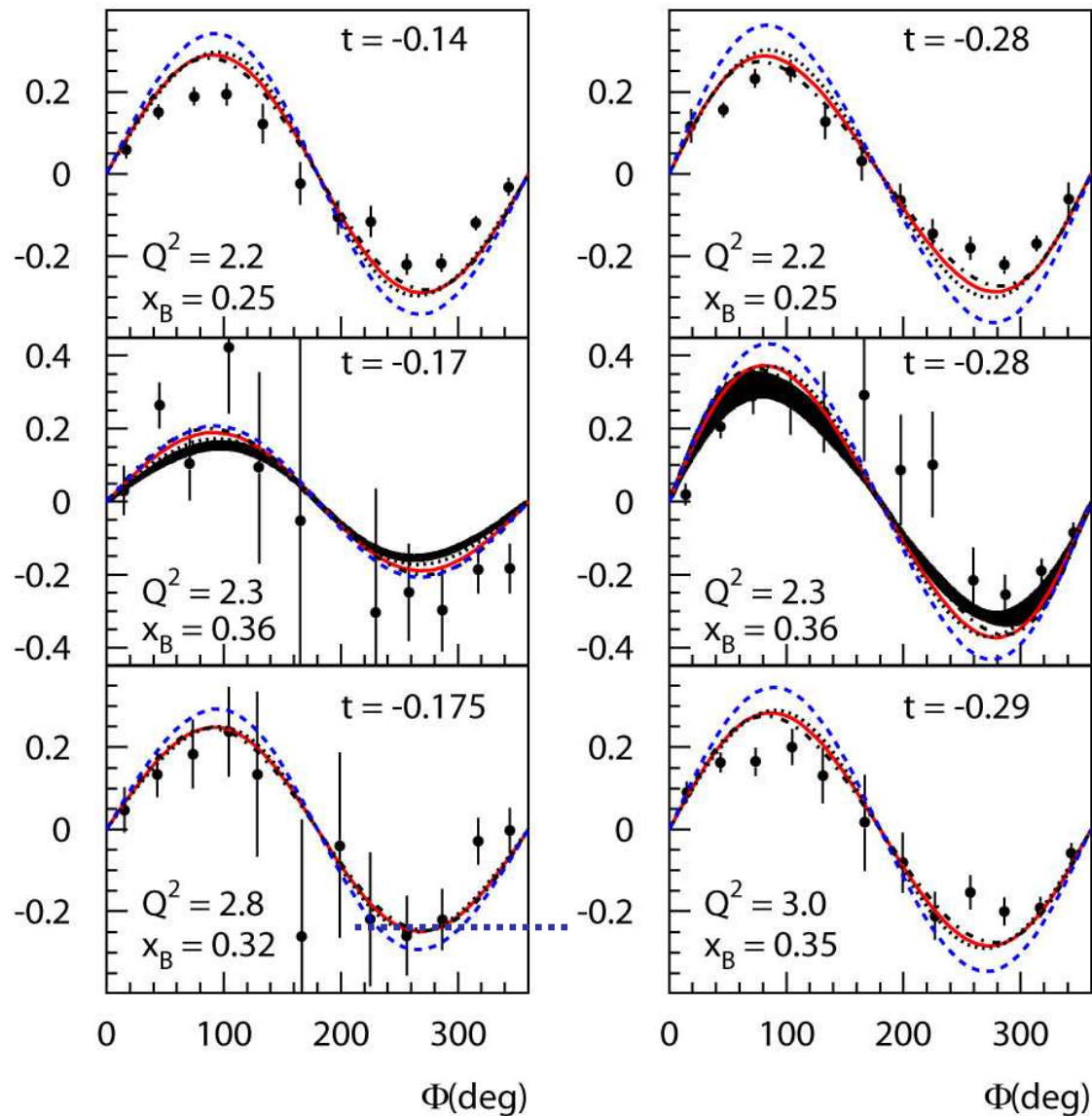


PRELIMINARY!
Analysis in progress

Minimal dual model (*i.e.* forward model) of DVCS data

Beam Spin Asymmetries (Hall B data)

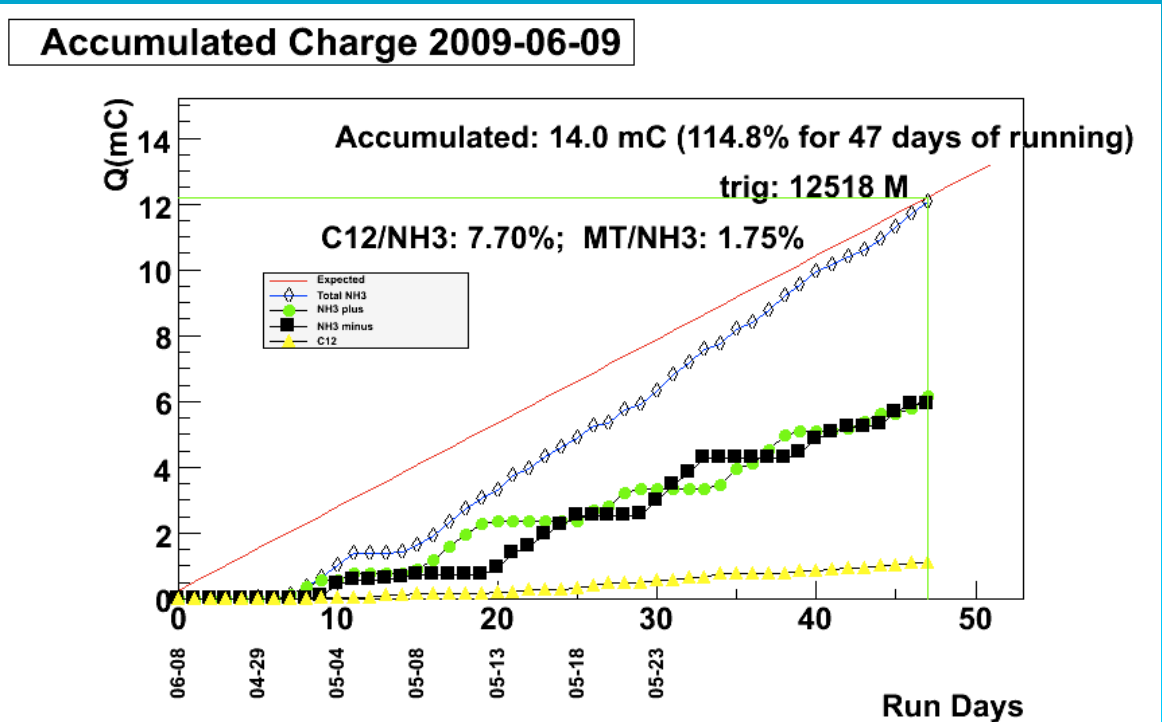
$$e^- + p \rightarrow e^- + p + \gamma \quad (E_e = 5.77 \text{ GeV})$$



..... DD Model (VGG)
—— Minimal Dual Model
(M. Polyakov, M. Vanderhaeghen
arXiv:0803.1271)

EG1- DVCS

- First dedicated DVCS experiment with the polarized target
- Approved for 60 PAC days @ 5.9 GeV
- □ Feb 4th – Mar 15th - 7 mC
- □ Apr 23rd – Jun 14th – 14 mC so far
- □ Aug 21st – Sept 20th
- Running at 7.5 nA
- Target polarization 80%



2009-07-08

Conclusion

Asymmetry measured in a large kinematical range & Cross section measured both accurately, badly described by DD models, and H-only models: suggests genuine off-forward contribution, other GPD contribution and/or higher twist at work.

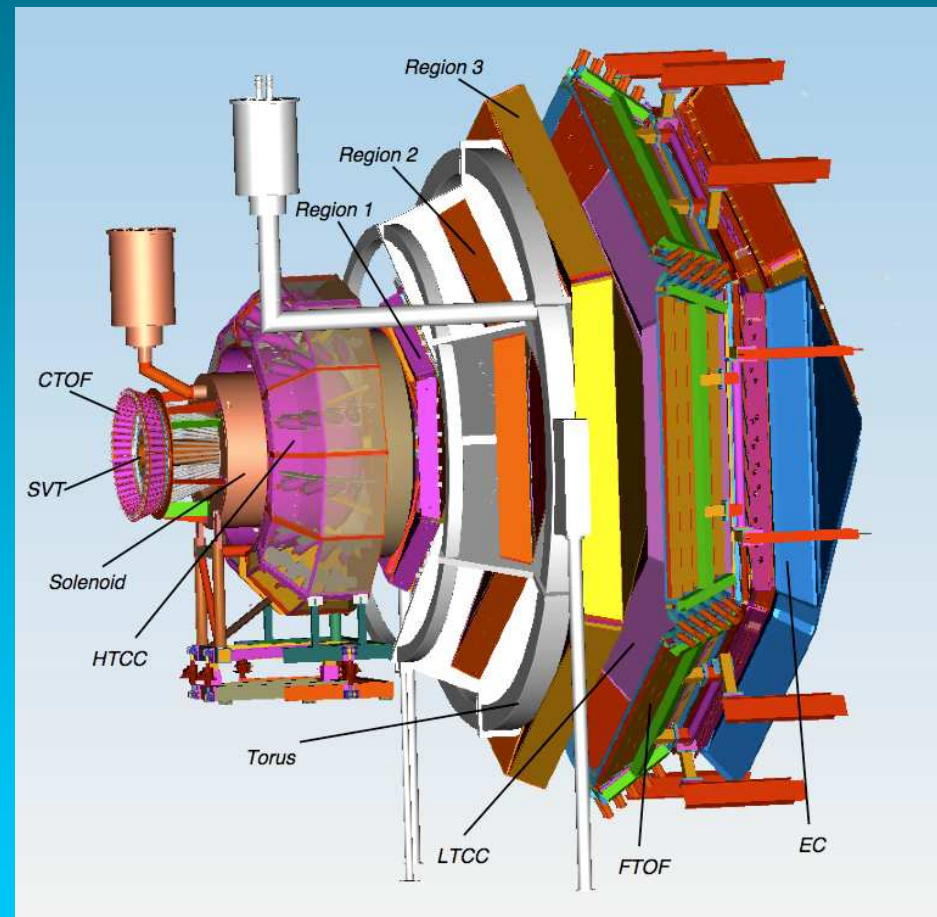
More data coming soon

JLab 6 GeV cross section data in large kinematical range

JLab 6 GeV L and T polarized target data (2009+)

JLab 12 GeV data (all configurations) in 2014+

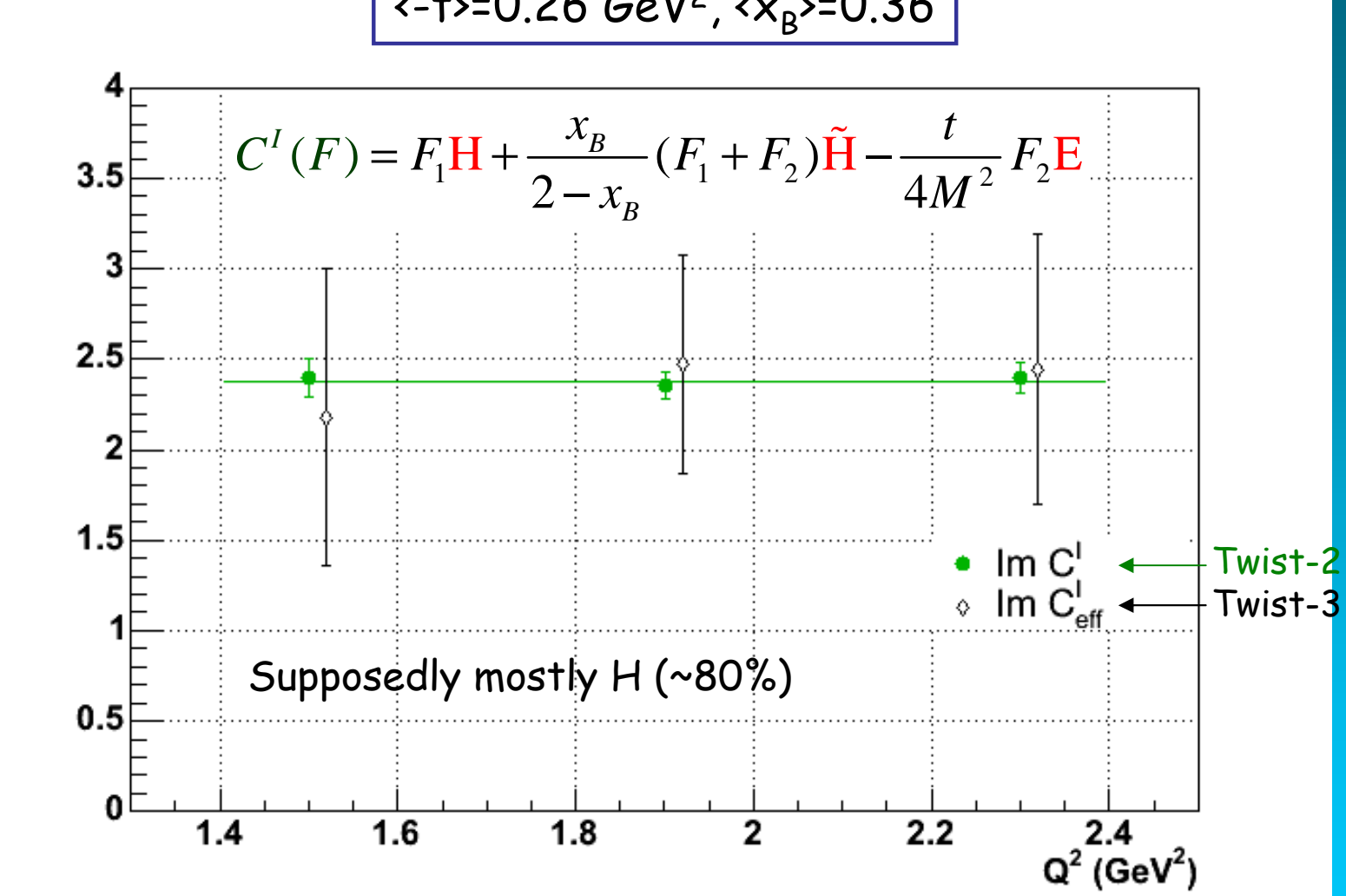
Fitting procedures will be more mature by then



Q² dependence and test of scaling

PRL97, 262002 (2006)

$$\langle -t \rangle = 0.26 \text{ GeV}^2, \langle x_B \rangle = 0.36$$

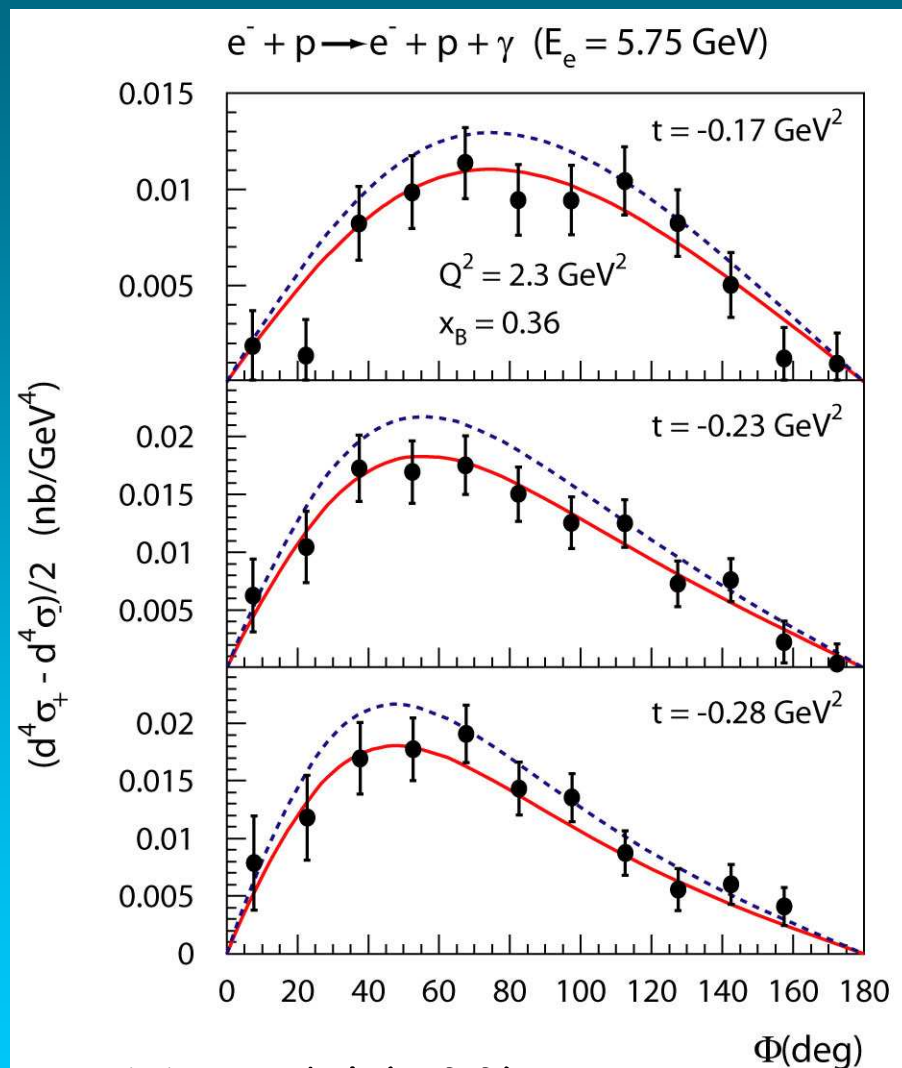


No Q² dependence using BMK separation:
 strong indication for scaling behavior and handbag dominance

Twist 4+ contributions are smaller than 10%

Minimal dual model (*i.e.* forward model) of DVCS data

Difference of cross sections (imaginary part of interference term)



M. Polyakov,
M. Vanderhaeghen
arXiv:0803.1271

Data are perfectly
described by
minimal dual model

..... DD model (VGG)
—— Minimal dual model

Deeply Virtual Exclusive Processes - Kinematics Coverage of the 12 GeV Upgrade

